

# Package ‘gbp’

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**Type** Package

**Title** A Bin Packing Problem Solver

**Version** 0.1.0.4

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**Description** Basic infrastructure and several algorithms for 1d-4d bin packing problem. This package provides a set of c-level classes and solvers for 1d-4d bin packing problem, and an r-level solver for 4d bin packing problem, which is a wrapper over the c-level 4d bin packing problem solver. The 4d bin packing problem solver aims to solve bin packing problem, a.k.a container loading problem, with an additional constraint on weight. Given a set of rectangular-shaped items, and a set of rectangular-shaped bins with weight limit, the solver looks for an orthogonal packing solution such that minimizes the number of bins and maximize volume utilization. Each rectangular-shaped item  $i = 1, \dots, n$  is characterized by length  $l_i$ , depth  $d_i$ , height  $h_i$ , and weight  $w_i$ , and each rectangular-shaped bin  $j = 1, \dots, m$  is specified similarly by length  $l_j$ , depth  $d_j$ , height  $h_j$ , and weight limit  $w_j$ . The item can be rotated into any orthogonal direction, and no further restrictions implied.

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**Depends** R (>= 3.0.0), magrittr, data.table

**Imports** methods, rgl, Rcpp (>= 0.12.7)

**Suggests** testthat, knitr, rmarkdown

**LinkingTo** Rcpp, RcppArmadillo

**SystemRequirements** C++11, GNU make

**LazyData** TRUE

**Encoding** UTF-8

**RoxygenNote** 5.0.1

**VignetteBuilder** knitr

**URL** <https://github.com/gyang274/gbp>

**BugReports** <https://github.com/gyang274/gbp/issues>

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bppSgl	<i>bppSgl</i>
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**Description**

    bpp solution of a single one order or multiple order

**Usage**

    bppSgl

**Format**

    An object of class C++Class of length 1.

**Details**

    packing it into multiple bn w.r.t bn size and weight limit while select bn as small as possible

    a bppSgl class instance has 6 fields:

- id: order id <integer>
- list - should sorted or at least grouped w.r.t order id
- it: it position and scale <matrix>
- x, y, z, w it position and w in the bin <numeric> (w hold in bn when fit it in bn)
- l, d, h, w it scale along x, y, z and w <numeric> (w of it itself)
- bn: bn scale <vector>
- l, d, h, w bn scale along x, y, z and w <numeric>
- k: ticket id indicator 0 (if cannot fit into any bin), 1, 2, 3, 4, ... <vector>
- kb: ticket bn id indicator - which bn to use for packing each ticket <vector>
- ok: ok a quick indicator of any it can not fit into any bn? <bool>

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 bpp\_solver

*bpp\_solver*


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## Description

bpp single or multiple order packing solver

## Usage

bpp\_solver(it, bn)

## Arguments

it	it item <data.table> - oid: order id <integer> - sku: stock keeping unit as it id <character> - l: it length which scale will be placed along x-coordinate <numeric> - d: it depth which scale will be placed along y-coordinate <numeric> - h: it height which scale will be placed along z-coordinate <numeric> - w: it weight optional which scale will be used restriction <integer>
bn	bn bins <data.table> - id: bn id <character> - l: bn length limit along x-coordinate <numeric> - d: bn depth limit along y-coordinate <numeric> - h: bn height limit along z-coordinate <numeric> - w: bn weight limit along w - a separate single dimension <numeric> - l, d, h will be sorted to have $l \geq d \geq h$ within solver

## Details

bpp solver is designed to solve packing in warehouse

bpp solver digest input it as a list of order (oid) and each row contain one sku (sku) in an order with length (l), depth (d), height (h) and weight (w) and aims to pack it list into one or more bin from a given list of bin that bin length (l), depth (d), height (h), and a single weight limit (wlmt).

bn list must be sorted by volume so that the smaller the eariler and preferred, and each bn must be sorted so that  $l \geq d \geq h$

bpp solver would call `bpp_solver_dpp_wrapper` and aims to find a packing schema such that: use as small number of bin as possible, and use small bin whenever possible, w.r.t the 3d none overlap constraint and weight limit constraint.

**Value**

- sn
- sn *bpp\_solution* <list>
- it item <data.table>
- oid: order id <integer>
- sku: stock keeping unit as it id <character>
- tid: ticket id - an unique id within oid <integer>
- otid: order id x ticket id - an unique identifier indicate it with same tid can be packed into one bin <character>
- bid: bn id <integer>
- x, y, z it position in bid bin <numeric>
- l, d, h it scale along x, y, z <numeric>
- w it weight <numeric>
- bn bins <data.table>
- id bn id <character>
- l bn length limit along x-coordinate <numeric>
- d bn depth limit along y-coordinate <numeric>
- h bn height limit along z-coordinate <numeric>
- w bn weight limit along w - a separate single dimension <numeric>

**Note**

*bpp\_solver* is an r-level wrapper over c-level *bpp\_solver\_dpp\_wrapper*, add otid as an unique identifier.

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<i>bpp_solver_dpp</i>	<i>bpp_solver_dpp</i>
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**Description**

main solver of e-commerce warehouse packing algorithm

**Usage**

*bpp\_solver\_dpp*(id, ldhw, m)

**Arguments**

id	<vector> id order id <integer> vector - should sorted or at least grouped w.r.t order id
ldhw	<matrix> it order list - l, d, h, w it scale along x, y, z and w <numeric> it columns should corresponding to id
m	<matrix> m a bin list - l, d, h, w bn scale along x, y, z and w <numeric> m should sorted w.r.t preference

**Details**

bpp init a list of order on sku in data.frame it - oid, sku, l, d, h, w: order id oid, stock keeping unit sku, length l, depth d, height h and weight w,

and also a list of available bn in data.frame bn - id, l, d, h, w: bn id, length l, depth d, height h, and weight limit w, sorted by preference often smaller preferred,

and a single weight limit wlmr applied on all bin.

bpp solver would solve

select least number of bn for packing each order w.r.t bn size and weight limit and make sure the bn selected are as small as possible.

**Value**

bppSgl

**See Also**

Other bpp\_solver\_dpp: [bpp\\_solver\\_dpp\\_wrapper](#), [bpp\\_solver\\_sgl](#)

---

bpp\_solver\_dpp\_wrapper

*bpp\_solver\_dpp\_wrapper*

---

**Description**

a wrapper over bpp\_solver\_dpp and expose an nicer r interface

**Usage**

bpp\_solver\_dpp\_wrapper(it, bn)

**Arguments**

*it* <data.frame>  
*it* order itemSKU list  
 - oid: order id <integer>  
 - sku: stock keeping unit - it id <character>  
 - l, d, h, w it scale along x, y, z and w <numeric>  
 - w will be used as constraint while l, d, h will be used as both constraint and objective  
 it must be sorted w.r.t oid

*bn* <data.frame>  
*bn* a bin list  
 - id: bin id <character>  
 - l, d, h, w bn scale along x, y, z and w <numeric>  
 bn must be sorted w.r.t preference and have  $l \geq d \geq h$

**Value**

*sn* <list>  
*sn* solution - it order itemSKU list with tid, bid, and x, y, z <data.frame>  
 - oid: order id inherited from *it* <character>  
 - tid: ticket id implied one order can be packed using several ticket id <character>  
 each ticket id corresponding to a bid bin id which indicates which bin to use for packing  
 - bid: bin id which bn in bn list should be used in packing <character>  
 - sku: stock keeping unit it id <character>  
 - x, y, z it position in the bin <numeric>  
 - l, d, h it scale along x, y, z <numeric>  
 l, d, h is not inherited from *it* as it can be rotated to different orientation for packing  
 - w it weight scale inherited from *it* <numeric>

**See Also**

Other *bpp\_solver\_dpp*: [bpp\\_solver\\_dpp](#), [bpp\\_solver\\_sgl](#)

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*bpp\_solver\_sgl*                      *bpp\_solver\_sgl*

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**Description**

subroutine of *bpp\_solver\_dpp*

**Usage**

```
bpp_solver_sgl(ldhw, m)
```

**Arguments**

ldhw	<matrix> it order list - l, d, h, w it scale along x, y, z and w <numeric> it columns should corresponding to id
m	<matrix> m a bin list - l, d, h, w bn scale along x, y, z and w <numeric> m should sorted w.r.t preference

**Details**

fit a single order into bn list, call `gbp4d_solver_dpp_filt()` as main solver.

**Value**

`bppSgl`

**See Also**

Other `bpp_solver_dpp`: [bpp\\_solver\\_dpp\\_wrapper](#), [bpp\\_solver\\_dpp](#)

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`bpp_viewer`

*bpp\_viewer*

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**Description**

bpp single or multiple order packing solution viewer

**Usage**

```
bpp_viewer(sn, title = NULL, subtitle = NULL)
```

**Arguments**

sn	sn <code>bpp_solution</code> from <code>bpp_solver</code> <list> - it item <data.table> - oid: order id <integer> - sku: stock keeping unit as it id <character> - tid: ticket id - an unique id within oid <integer> - otid: order id x ticket id - an unique identifier indicate it with same tid can be packed into one bin <character>
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- bid: bn id <integer>
- x, y, z it position in bid bin <numeric>
- l, d, h it scale along x, y, z <numeric>
- w it weight <numeric>
- bn bins <data.table>
- id bn id <character>
- l bn length limit along x-coordinate <numeric>
- d bn depth limit along y-coordinate <numeric>
- h bn height limit along z-coordinate <numeric>
- w bn weight limit along w - a separate single dimension <numeric>

title           title <character>

subtitle        subtitle <character>

**See Also**

Other `bpp_viewer`: [bpp\\_viewer\\_single](#)

`bpp_viewer_single`       *bpp\_viewer\_single*

**Description**

`bpp` solution viewer on single bin all item

**Usage**

```
bpp_viewer_single(it, bn, title = NULL, subtitle = NULL,
  it_rgl_control = NULL, bn_rgl_control = NULL, label_it = TRUE,
  label_bn = TRUE)
```

**Arguments**

`it`           it item <data.table>

- id it id <integer>
- x, y, z it position w.r.t bins <numeric>
- l, d, h it scale along x, y, z <numeric>
- w it weight <numeric>
- auto: cc, wd, txt point and lines color, size, legend <numeric/character, numeric, character>

`bn`           bn bins <data.table>

- id bn id <integer>
- l, d, h bn scale <numeric>
- w bn weight limit <numeric>
- auto: cc, wd, txt point and lines color, size, legend <numeric/character, numeric, character>

title	title <character>
subtitle	subtitle <character>
it_rgl_control	control the color of it in rgl
bn_rgl_control	control the color of bn in rgl
label_it	label text on it corner or not
label_bn	label text on bn corner or not

**See Also**

Other `bpp_viewer`: [bpp\\_viewer](#)

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`create_bn_rgl_control`    *create\_bn\_rgl\_control*

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**Description**

subroutine of `bpp_viewer_single`

**Usage**

`create_bn_rgl_control()`

---

`create_it_cube3d`        *create\_it\_cube3d*

---

**Description**

subroutine of `bpp_viewer_single`

**Usage**

`create_it_cube3d(id, x, y, z, l, d, h, cc, wd, txt, itxt = TRUE)`

**Arguments**

id	id
x	x-coordinate
y	y-coordinate
z	z-coordinate
l	length along x-coordinate
d	depth along y-coordinate
h	height along z-coordinate
cc	color
wd	width
txt	text
itxt	plot text or not



**viewer**

rgl 3d show packing obtained via bpp\_solver  
 bpp\_viewer

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 gbp1d
 

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*gbp1d*


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**Description**

generalized bin packing problem in 1 dimension, a.k.a knapsack 0-1 problem.

**Usage**

gbp1d

**Format**

An object of class C++Class of length 1.

**Details**

gbp1d init a profit vector  $p$ , a weight vector  $w$ , and a weight constraint  $c$ , gbp1d solver would solve

maximize  $\sum_{j=1}^n p_j x_j$

subject to  $\sum_{j=1}^n w_j x_j \leq c$   $x_j \in \{0, 1\}$ ,  $j = 1, \dots, n$

and instantiate a gbp1d object with a selectin vector  $x$  and an objective  $z$ .

gbp1d is implemented as rcpp class, an instantiate can be solved by calling `gbp1d_solver_dpp(p, w, c)` and `gbp1d_solver_min(p, w, c)`

**See Also**

Other gbp1d: [gbp1d\\_solver\\_dpp](#)

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 gbp1d\_solver\_dpp
 

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---

*gbp1d\_solver\_dpp*


---

**Description**

solve gbp1d via dynamic programming simple - `adagio::knapsnak()`

**Usage**

`gbp1d_solver_dpp(p, w, c)`

**Arguments**

p	p profit <vector>::<numeric>
w	w weight <vector>::<integer>
c	c constraint on weight <integer>

**Details**

a dynamic programming solver on gbp1d instantiate - knapsack 0-1 problem, see gbp1d.

gbp1d init a profit vector p, a weight vector w, and a weight constraint c, gbp1d solver would solve

maximize  $\sum_{j=1}^n p_j x_j$

subject to  $\sum_{j=1}^n w_j x_j \leq c$   $x_j \in \{0, 1\}$ ,  $j = 1, \dots, n$

and instantiate a gbp1d object with a selection vector x and an objective z.

gbp1d is implemented as rcpp class, an instantiate can be solved by calling gbp1d\_solver\_dpp(p, w, c) and gbp1d\_solver\_min(p, w, c)

**Value**

gbp1d a gbp1d instantiate with p profit, w weight, c constraint on weight, k selection, o objective, and ok an indicator of all fit or not.

**See Also**

Other gbp1d: [gbp1d](#)

---

gbp2d

*gbp2d*

---

**Description**

generalized bin packing problem in 2 dimension, a.k.a rectangle fill.

**Usage**

gbp2d

**Format**

An object of class C++Class of length 1.

**Details**

gbp2d init a profit vector  $p$ , a length vector  $l$ , a depth vector  $d$ , a length constraint  $ml$ , and a depth constraint  $md$  on  $l \times d$  rectangle with geometry interpretation.

gbp2d solver would solve

maximize  $\sum_{j=1}^n p_j k_j$

subject to fit  $(l_j, d_j)$  at coordinate  $(x_j, y_j)$  such that no overlap in  $ml \times md$ ,  $j = 1, \dots, n$

and instantiate a gbp2d object with a x-axis coordinate vector  $x$ , a y-axis coordinate vector  $y$ , a selection vector  $k$ , and an objective  $o$ .

a gbp2d class instance has 6 fields:

-  $p$ : profit of it fit into  $bn$  <vector>

created via cluster  $\max(l, d)$  and  $\min(l, d)$  via `gbp2d_solver_dpp_prep_create_p()`

-  $it$ : it position and scale <matrix>

-  $x, y$  it position in the bin <numeric>

-  $l, d$  it scale along  $x$  and  $y$  <numeric>

-  $bn$ :  $bn$  scale <vector>

-  $l, d$   $bn$  scale along  $x$  and  $y$  <numeric>

-  $k$ : selection indicator 0, 1 <vector>

-  $o$ : objective achievement volumn fit in over volumn overall <numeric>

-  $ok$ : a quick indicator of all it fit into  $bn$ ? <bool>

**Note**

$p$  is a proxy of ranking on rectangle fit difficulty, often a function w.r.t  $\max(l, d)$  and  $l \times d$

**See Also**

Other gbp2d: [gbp2d\\_checkr](#), [gbp2d\\_solver\\_dpp](#)

---

gbp2d\_checkr

*gbp2d\_checkr*

---

**Description**

auxilium of gbp2d and gbp2d\_solver\_dpp

**Usage**

`gbp2d_checkr(sn)`

**Arguments**

$sn$  <gbp2d> gbp2d object from `gbp2d_solver_dpp()` solution.

**Details**

check fit solution is valid: no conflict between item and bin, and no conflict between each pair of item.

**Value**

okfit? <bool>

**See Also**

Other gbp2d: [gbp2d\\_solver\\_dpp](#), [gbp2d](#)

---

gbp2d\_it\_create\_ktlist

*gbp2d\_it\_create\_ktlist*

---

**Description**

create ktlist from itlist

**Usage**

```
gbp2d_it_create_ktlist(bn, it, xp, ktinit, nlmt)
```

**Arguments**

bn	bn scale <vector> - l, d bn scale along x and y <numeric>
it	it position and scale <matrix> - x, y it position in the bin <numeric> - l, d it scale along x and y <numeric>
xp	xp extreme point position and residual space scale <matrix> - x, y xp position in the bin <numeric> - l, d xp residual space scale along x and y <numeric>
ktinit	kt candidate scale without position <matrix> - l, d kt scale along x and y which open to orientation <numeric>
nlmt	nlmt: limit on ktlist n max-value

**Details**

core function in [gbp2d\\_solver\\_dpp](#) select highest profitable it not yet fit into bn and return all possible fit w.r.t xp and orientation

**Value**

Ktlist2d

**Note**

should make sure it kt can be fit in bin outside  
internal function use in `gbp2d_solver_dpp()` for creating `Ktlist2d` object for fit.

**See Also**

Other gbp2d\_it: [Ktlist2d](#)

---

`gbp2d_solver_dpp`      *gbp2d\_solver\_dpp*

---

**Description**

solve gbp2d via extreme point heuristic and best information score fit strategy.

**Usage**

`gbp2d_solver_dpp(p, ld, m)`

**Arguments**

<code>p</code>	<code>p</code> profit of it fit into <code>bn</code> <vector> - cluster <code>max(l, d)</code> and <code>min(l, d)</code> via <code>gbp2d_solver_dpp_prep_create_p()</code>
<code>ld</code>	it position and scale <matrix> - <code>l, d</code> it scale along <code>x</code> and <code>y</code> , subject to orientation rotation <numeric>
<code>m</code>	<code>bn</code> scale <vector> - <code>l, d</code> <code>bn</code> scale along <code>x</code> and <code>y</code> <numeric>

**Details**

`gbp2d` init a profit vector `p`, a length vector `l`, a depth vector `d`, a length constraint `ml`, and a depth constraint `md` on `l x d` rectangle with geometry interpretation.

`gbp2d` solver would solve

maximize  $\sum_{j=1}^n p_j k_j$

subject to fit  $(l_j, d_j)$  at coordinate  $(x_j, y_j)$  such that no overlap in  $ml \times md$ ,  $j = 1, \dots, n$

and instantiate a `gbp2d` object with a `x`-axis coordinate vector `x`, a `y`-axis coordinate vector `y`, a selection vector `k`, and an objective `o`.

**Value**

`gbp2d` a `gbp2d` instantiate with `p` profit, it item  $(x, y, l, d)$  position scale matrix, `bn` bin  $(l, d)$  scale vector, `k` selection, `o` objective, and `ok` an indicator of all fit or not.

**See Also**

Other gbp2d: [gbp2d\\_checker](#), [gbp2d](#)



---

gbp2d\_solver\_dpp\_filt *gbp2d\_solver\_dpp\_filt*

---

### Description

solve gbp2d w.r.t select most preferable often smallest bin from bn list

### Usage

gbp2d\_solver\_dpp\_filt(l, d, m)

### Arguments

l	it scale <matrix> - l, d it scale along x and y <numeric>
m	bn scale <matrix> - l, d bn scale along x and y <numeric> - l, d in row and each col is a single bn should make sure bn list are sorted via volume so that the first col is the most preferred smallest bn, and also the last col is the least preferred largest and often dominant bn should make sure no X in front of Y if bnX dominant bnY, bnX dominant bnY if all( $X(l, d) > Y(l, d)$ ) and should always prefer Y. should make sure bn such that $l \geq d$ or vice versa.

### Details

gbp2d\_solver\_dpp\_filt is built on top of gbp2d\_solver\_dpp aims to select the most preferable bn from a list of bn that can fit all or most it

gbp2d\_solver\_dpp()'s objective is fit all or most it into a single given bn (l, d)

gbp2d\_solver\_dpp\_filt()'s objective is select the most preferable given a list of bn where bn list is specified in  $2 \times N$  matrix that the earlier column the more preferable

gbp2d\_solver\_dpp\_filt() use an approx binary search and determine f w.r.t bn.n\_cols where f = 1 indicate the bn being selected and only one of 1 in result returned.

ok = true if any bin can fit all it and algorithm will select smallest bn can fit all otherwise ok = false and algorithm will select a bn can maximize volume of fitted it

often recommend to make the last and least preferable bn dominate all other bn in list when design bn list, bnX dominant bnY if all( $X(l, d) > Y(l, d)$ ).

### Value

gbp2q a gbp2q instantiate with p profit, it item (x, y, l, d) position scale matrix, bn bin (l, d) scale matrix, k it selection, o objective, f bn selection, and ok an indicator of all fit or not.

### See Also

Other gbp2q: [gbp2q\\_checkr](#), [gbp2q](#)

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gbp2d\_solver\_dpp\_prep\_create\_p  
*gbp2d\_solver\_dpp\_prep\_create\_p*

---

**Description**

auxilium of gbp2d\_solver\_dpp

**Usage**

gbp2d\_solver\_dpp\_prep\_create\_p(ld, m)

**Arguments**

ld	2xN matrix of l, d of it
m	2x1 vector of l, d of bn

**Details**

create p via ld and m via cluster max(l, d) and min(l, d) strategy

**Value**

p

---

gbp2d_viewer	<i>gbp2d_viewer</i>
--------------	---------------------

---

**Description**

gbp2d solution viewer

**Usage**

gbp2d\_viewer(sn, title = NULL, subtitle = NULL)

**Arguments**

sn	sn gbp2d object, solution from gbp2d_solver_dpp, see gbp2d.
title	title <character>
subtitle	subtitle <character>

---

gbp2q

*gbp2q*


---

**Description**

generalized bin packing problem in 2 dimension, a.k.a rectangle fill.

**Usage**

gbp2q

**Format**

An object of class C++Class of length 1.

**Details**

gbp2d init a profit vector p, a length vector l, a depth vector d, a length constraint ml, and a depth constraint md on l x d rectangle with geometry interpretation.

gbp2d solver would solve

maximize  $\sum_{j=1}^n p_j k_j$

subject to fit  $(l_j, d_j)$  at coordinate  $(x_j, y_j)$  such that no overlap in  $ml \times md$ ,  $j = 1, \dots, n$

and instantiate a gbp2d object with a x-axis coordinate vector x, a y-axis coordinate vector y, a selection vector k, and an objective o.

gbp2q solver would also select the most preferred often smallest m from a list of m(l, d) after determine all or the highest volume set of ld can fit into one m(l, d).

a gbp2q class instance has 7 fields:

- p: profit of it fit into bn <vector>

created via cluster max(l, d) and min(l, d) via gbp2d\_solver\_dpp\_prep\_create\_p()

- it: it position and scale <matrix>

- x, y it position in the bin <numeric>

- l, d it scale along x and y <numeric>

- bn: bn scale <matrix>

- l, d bn scale along x and y <numeric>

matrix of 2 rows and each column is a single bn

should make sure bn list are sorted via volume so that the first col is the most preferred smallest bn, and also the last col is the least preferred largest and often dominant bn

should make sure no X in front of Y if bnX dominant bnY, bnX dominant bnY if  $\text{all}(X(l, d) > Y(l, d))$  and should always prefer Y.

should make sure bn such that  $l \geq d$  or vice versa.

- k: selection indicator 0, 1 on it <vector>

- f: selection indicator 0, 1, 2, 3 on bn <vector>  
f in result should have no 0 and only one of 1
- o: objective achievement volumn fit in over volumn overall <numeric>
- ok: a quick indicator of all it fit into bn? <bool>

**See Also**

Other gbp2q: [gbp2d\\_solver\\_dpp\\_filt](#), [gbp2q\\_checkr](#)

---

gbp2q\_checkr

*gbp2q\_checkr*

---

**Description**

auxilium of gbp2q and gbp2d\_solver\_dpp\_filt

**Usage**

gbp2q\_checkr(sn)

**Arguments**

sn                    <gbp2q> gbp2q object from gbp2d\_solver\_dpp\_filt() solution.

**Details**

check fit solution is valid: no conflict between item and bin, and no conflict between each pair of item.

**Value**

okfit? <bool>

**See Also**

Other gbp2q: [gbp2d\\_solver\\_dpp\\_filt](#), [gbp2q](#)

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gbp2q_viewer	<i>gbp2q_viewer</i>
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---

**Description**

gbp2q solution viewer

**Usage**

```
gbp2q_viewer(sn, title = NULL, subtitle = NULL)
```

**Arguments**

sn	sn gbp2q object, solution from gbp2d_solver_dpp_filt, see gbp2q.
title	title <character>
subtitle	subtitle <character>

---

gbp3d	<i>gbp3d</i>
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---

**Description**

generalized bin packing problem in 3 dimension, a.k.a bin packing problem.

**Usage**

```
gbp3d
```

**Format**

An object of class C++Class of length 1.

**Details**

gbp3d init a profit vector  $p$ , a length vector  $l$ , a depth vector  $d$ , a height vector  $h$ , and also a length constraint  $ml$ , a depth constraint  $md$ , and a height constraint  $mh$  on  $l \times d \times h$  cuboid with geometry interpretation.

gbp3d solver would solve

maximize  $\sum_{j=1}^n p_j k_j$

subject to fit  $(l_j, d_j, h_j)$  at coordinate  $(x_j, y_j, z_j)$  such that no overlap in  $ml \times md \times mh$  cuboid,  $j = 1, \dots, n$

and instantiate a gbp3d object with a x-axis coordinate vector  $x$ , a y-axis coordinate vector  $y$ , a z-axis coordinate vector  $z$ , a selection vector  $k$ , and an objective  $o$ .

a gbp3d class instance has 6 fields:

- p: profit of it fit into bn <vector>  
created via cluster max(l, d, h) and area via gbp3d\_solver\_dpp\_main\_create\_p()
- it: it position and scale <matrix>
- x, y, z it position in the bin <numeric>
- l, d, h it scale along x, y, z <numeric>
- bn: bn scale <vector>
- l, d, h bn scale along x, y, z <numeric>
- k: selection indicator 0, 1 <vector>
- o: objective achievement volumn fit in over volumn overall <numeric>
- ok: a quick indicator of all it fit into bn? <bool>

**Note**

p is a proxy of ranking on cuboid fit difficulty, often a func of max(l, d, h), surface, volume and solver would often maximize  $\sum_{j=1}^n v_j k_j$  instead of  $\sum_{j=1}^n p_j k_j$

**See Also**

Other gbp3d: [gbp3d\\_checkr](#), [gbp3d\\_solver\\_dpp](#)

---

gbp3d\_checkr

*gbp3d\_checkr*

---

**Description**

auxilium of gbp3d\_solver\_dpp

**Usage**

gbp3d\_checkr(sn)

**Arguments**

sn                    <gbp3d> gbp3d object from gbp3d\_solver\_dpp() solution.

**Details**

check fit solution is valid: no conflict between item and bin, and no conflict between each pair of item.

**Value**

okfit? <bool>

**See Also**

Other gbp3d: [gbp3d\\_solver\\_dpp](#), [gbp3d](#)

---

gbp3d\_it\_create\_ktlist  
*gbp3d\_it\_create\_ktlist*

---

## Description

create ktlist from itlist

## Usage

```
gbp3d_it_create_ktlist(bn, it, xp, ktinit, nlmt)
```

## Arguments

bn	bn scale <vector> - l, d, h bn scale along x, y, z <numeric>
it	it position and scale <matrix> - x, y, z it position in the bin <numeric> - l, d, h it scale along x, y, z <numeric>
xp	xp extreme point position and residual space scale <matrix> - x, y, z xp position in the bin <numeric> - l, d, h xp residual space scale along x, y, z <numeric>
ktinit	kt candidate scale without position <matrix> - l, d, h kt scale along x, y, z which open to orientation <numeric>
nlmt	nlmt: limit on ktlist n max-value

## Details

core function in gbp3d\_solver\_dpp select highest profitable it not yet fit into bn and return all possible fit w.r.t xp and orientation

## Value

Ktlist3d

## Note

should make sure it kt can be fit in bin outside  
internal function use in gbp3d\_solver\_dpp() for creating Ktlist3d object for fit.

## See Also

Other gbp3d\_it: [Ktlist3d](#)

---

gbp3d\_solver\_dpp      *gbp3d\_solver\_dpp*

---

### Description

solve gbp3d via extreme point heuristic and best information score fit strategy.

### Usage

gbp3d\_solver\_dpp(p, ldh, m)

### Arguments

p	p profit of it fit into bn <vector> - cluster max(l, d) and min(l, d) via gbp3d_solver_dpp_prep_create_p()
ldh	it position and scale <matrix> - l, d, h it scale along x, y, z, subject to orientation rotation <numeric>
m	bn scale <vector> - l, d, h bn scale along x, y, z <numeric>

### Details

gbp3d init a profit vector p, a length vector l, a depth vector d, a height vector h, and also a length constraint ml, a depth constraint md, and a height constraint mh on l x d x h cuboid with geometry interpretation.

gbp3d solver would solve

maximize  $\sum_{j=1}^n p_j k_j$

subject to fit (l<sub>j</sub>, d<sub>j</sub>, h<sub>j</sub>) at coordinate (x<sub>j</sub>, y<sub>j</sub>, z<sub>j</sub>) such that no overlap in ml x md x mh cuboid, j = 1, ....., n

and instantiate a gbp3d object with a x-axis coordinate vector x, a y-axis coordinate vector y, a z-axis coordinate vector z, a selection vector k, and an objective o.

### Value

gbp3d a gbp3d instantiate with p profit, it item (x, y, z, l, d, h) position scale matrix, bn bin (l, d, h) scale vector, k selection, o objective, and ok an indicator of all fit or not.

### See Also

Other gbp3d: [gbp3d\\_checkr](#), [gbp3d](#)



---

 gbp3d\_solver\_dpp\_filt *gbp3d\_solver\_dpp\_filt*


---

### Description

solve gbp3d w.r.t select most preferable often smallest bin from bn list

### Usage

```
gbp3d_solver_dpp_filt(ldh, m)
```

### Arguments

ldh	it scale <matrix> - l, d, h it scale along x, y, z <numeric>
m	bn scale <matrix> - l, d, h bn scale along x, y, z <numeric> - l, d, h in row and each col is a single bn should make sure bn list are sorted via volume so that the first col is the most preferred smallest bn, and also the last col is the least preferred largest and often dominant bn should make sure no X in front of Y if bnX dominant bnY, bnX dominant bnY if all( $X(l, d, h) > Y(l, d, h)$ ) and should always prefer Y. should make sure bn such that $l \geq d \geq h$ or vice versa.

### Details

gbp3d\_solver\_dpp\_filt is built on top of gbp3d\_solver\_dpp aims to select the most preferable bn from a list of bn that can fit all or most it

gbp3d\_solver\_dpp()'s objective is fit all or most it into a single given bn (l, d, h)

gbp3d\_solver\_dpp\_filt()'s objective is select the most preferable given a list of bn where bn list is specified in 3xN matrix that the earlier column the more preferable

gbp3d\_solver\_dpp\_filt() use an approx binary search and determine f w.r.t bn.n\_cols where f = 1 indicate the bn being selected and only one of 1 in result returned.

ok = true if any bin can fit all it and algorithm will select smallest bn can fit all otherwise ok = false and algorithm will select a bn can maximize volume of fitted it

often recommend to make the last and least preferable bn dominate all other bn in list when design bn list, bnX dominant bnY if all( $X(l, d, h) > Y(l, d, h)$ ).

### Value

gbp3q a gbp3q instantiate with p profit, it item (x, y, z, l, d, h) position scale matrix, bn bin (l, d, h) scale matrix, k it selection, o objective, f bn selection, and ok an indicator of all fit or not.

### See Also

Other gbp3q: [gbp3q\\_checkr](#), [gbp3q](#)

---

gbp3d\_solver\_dpp\_prep\_create\_p  
*gbp3d\_solver\_dpp\_prep\_create\_p*

---

**Description**

auxilium of gbp3d\_solver\_dpp

**Usage**

gbp3d\_solver\_dpp\_prep\_create\_p(ldh, m)

**Arguments**

ldh	3xN matrix of l, d, h of it
m	3x1 vector of l, d, h of bn

**Details**

create p via ldh and m via cluster max(l, d, h) and area strategy

**Value**

p

---

gbp3d_viewer	<i>gbp3d_viewer</i>
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**Description**

gbp3d solution viewer

**Usage**

gbp3d\_viewer(sn, title = NULL, subtitle = NULL)

**Arguments**

sn	sn gbp3d object, solution from gbp3d_solver_dpp, see gbp3d.
title	title <character>
subtitle	subtitle <character>

---

 gbp3q

 gbp3q
 

---

**Description**

generalized bin packing problem in 3 dimension, a.k.a bin packing problem.

**Usage**

gbp3q

**Format**

An object of class C++Class of length 1.

**Details**

gbp3d init a profit vector  $p$ , a length vector  $l$ , a depth vector  $d$ , a height vector  $h$ , and also a length constraint  $ml$ , a depth constraint  $md$ , and a height constraint  $mh$  on  $l \times d \times h$  cuboid with geometry interpretation.

gbp3d solver would solve

maximize  $\sum_{j=1}^n p_j k_j$

subject to fit  $(l_j, d_j, h_j)$  at coordinate  $(x_j, y_j, z_j)$  such that no overlap in  $ml \times md \times mh$  cuboid,  $j = 1, \dots, n$

and instantiate a gbp3d object with a x-axis coordinate vector  $x$ , a y-axis coordinate vector  $y$ , a z-axis coordinate vector  $z$ , a selection vector  $k$ , and an objective  $o$ .

gbp3q solver would also select the most preferred often smallest  $m$  from a list of  $m(l, d, h)$  after determine all or the highest volume set of  $ld$  can fit into one  $m(l, d, h)$ .

a gbp3q class instance has 7 fields:

-  $p$ : profit of it fit into  $bn$  <vector>

created via cluster  $\max(l, d, h)$  and area via `gbp3d_solver_dpp_main_create_p()`

-  $it$ : it position and scale <matrix>

-  $x, y, z$  it position in the bin <numeric>

-  $l, d, h$  it scale along  $x, y, z$  <numeric>

-  $bn$ :  $bn$  scale <matrix>

-  $l, d, h$   $bn$  scale along  $x, y, z$  <numeric>

matrix of 3 rows and each column is a single  $bn$

should make sure  $bn$  list are sorted via volume so that the first col is the most preferred smallest  $bn$ , and also the last col is the least preferred largest and often dominant  $bn$

should make sure no  $X$  in front of  $Y$  if  $bnX$  dominant  $bnY$ ,  $bnX$  dominant  $bnY$  if  $\text{all}(X(l, d, h) > Y(l, d, h))$  and should always prefer  $Y$ .

should make sure  $bn$  such that  $l \geq d$  or vice versa.

- k: selection indicator 0, 1 on it <vector>
  - f: selection indicator 0, 1, 2, 3 on bn <vector>
- f in result should have no 0 and only one of 1
- o: objective achievement volumn fit in over volumn overall <numeric>
  - ok: a quick indicator of all it fit into bn? <bool>

**See Also**

Other gbp3q: [gbp3d\\_solver\\_dpp\\_filt](#), [gbp3q\\_checkr](#)

---

gbp3q\_checkr

*gbp3q\_checkr*

---

**Description**

auxilium of [gbp3d\\_solver\\_dpp\\_filt](#)

**Usage**

gbp3q\_checkr(sn)

**Arguments**

sn                    <gbp3q> gbp3q object from [gbp3d\\_solver\\_dpp\\_filt\(\)](#) solution.

**Details**

check fit solution is valid: no conflict between item and bin, and no conflict between each pair of item.

**Value**

okfit? <bool>

**See Also**

Other gbp3q: [gbp3d\\_solver\\_dpp\\_filt](#), [gbp3q](#)

---

gbp3q_viewer	<i>gbp3q_viewer</i>
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---

**Description**

gbp3q solution viewer

**Usage**

```
gbp3q_viewer(sn, title = NULL, subtitle = NULL)
```

**Arguments**

sn	sn gbp3q object, solution from gbp3d_solver_dpp_filt, see gbp3q.
title	title <character>
subtitle	subtitle <character>

---

gbp4d	<i>gbp4d</i>
-------	--------------

---

**Description**

generalized bin packing problem in 4 dimension, a.k.a bin packing problem with weight limit.

**Usage**

```
gbp4d
```

**Format**

An object of class C++Class of length 1.

**Details**

gbp4d init a profit vector  $p$ , a length  $l$ , a depth  $d$ , a height  $h$ , and a weight  $w$ , along with associate constraints  $m_l$ ,  $m_d$ ,  $m_h$  and  $m_w$ . gbp4d should fit it  $(l, d, h, w)$  into  $bn$   $(m_l, m_d, m_h, m_w)$  with  $w$  on weight limit constraint and  $l, d, h$  on geometry interpretation. gbp4d solver would solve

$$\text{maximize } \sum_{j=1}^n p_j k_j$$

$$\text{subject to } \sum_{j=1}^n w_j k_j \leq m_w \text{ and}$$

fit  $(l_j, d_j, h_j)$  at coordinate  $(x_j, y_j, z_j)$  such that no overlap in  $m_l \times m_d \times m_h$  cuboid,  $j = 1, \dots, n$

and instantiate a gbp4d object with a x-axis coordinate vector  $x$ , a y-axis coordinate vector  $y$ , a z-axis coordinate vector  $z$ , a selection vector  $k$ , and an objective  $o$ .

a gbp4d class instance has 6 fields:

- p: profit of it fit into bn <vector>  
created via cluster w via gbp1d, cluster max(l, d, h) and area via gbp4d\_solver\_dpp\_main\_create\_p()
- it: it position and scale <matrix>
- x, y, z, w it position and w in the bin <numeric> (w hold in bn when fit it in bn)
- l, d, h, w it scale along x, y, z and w <numeric> (w of it itself)
- bn: bn scale <vector>
- l, d, h, w bn scale along x, y, z and w <numeric>
- k: selection indicator 0, 1 <vector>
- o: objective achivement volumn fit in over volumn overall <numeric>
- ok: a quick indicator of all it fit into bn? <bool>

**Note**

p is a proxy of ranking on cuboid fit difficulty, often a func of max(l, d, h), surface, volume and solver would often maximize  $\sum_{j=1}^n v_j k_j$  instead of  $\sum_{j=1}^n p_j k_j$

**See Also**

Other gbp4d: [gbp4d\\_checkr](#), [gbp4d\\_solver\\_dpp](#)

---

gbp4d\_checkr

*gbp4d\_checkr*

---

**Description**

auxilium of gbp4d\_solver\_dpp

**Usage**

gbp4d\_checkr(sn)

**Arguments**

sn                    <gbp4d> gbp4d object from gbp4d\_solver\_dpp() solution.

**Details**

check fit solution is valid: no conflict between item and bin, and no conflict between each pair of item, and no conflict on weight limit.

**Value**

okfit? <bool>

**See Also**

Other gbp4d: [gbp4d\\_solver\\_dpp](#), [gbp4d](#)

---

gbp4d\_it\_create\_ktlist  
*gbp4d\_it\_create\_ktlist*

---

## Description

create ktlist from itlist

## Usage

```
gbp4d_it_create_ktlist(bn, it, xp, ktinit, nlmt)
```

## Arguments

bn	bn scale <vector> - l, d, h, w bn scale along x, y, z and w <numeric>
it	it position and scale <matrix> - x, y, z, w it position and w in the bin <numeric> - l, d, h, w it scale along x, y, z and w <numeric>
xp	xp extreme point position and residual space scale <matrix> - x, y, z, w xp position and w in the bin <numeric> - l, d, h, w xp residual space scale along x, y, z and w <numeric>
ktinit	kt candidate scale without position <matrix> - l, d, h, w kt scale along x, y, z, w which open to orientation <numeric>
nlmt	nlmt: limit on ktlist n max-value

## Details

core function in `gbp4d_solver_dpp` select highest profitable it not yet fit into bn and return all possible fit w.r.t xp and orientation

## Value

Ktlist4d

## Note

should make sure it kt can be fit in bin outside

internal function use in `gbp4d_solver_dpp()` for creating Ktlist4d object for fit.

## See Also

Other `gbp4d_it`: [Ktlist4d](#)

---

gbp4d\_solver\_dpp      *gbp4d\_solver\_dpp*

---

### Description

solve gbp4d via extreme point heuristic and best information score fit strategy.

### Usage

```
gbp4d_solver_dpp(p, ldhw, m)
```

### Arguments

p	p profit of it fit into bn <vector> - cluster w via gbp1d, cluster max(l,d,h) and area via gbp4d_solver_dpp_main_create_p()
ldhw	it scales <matrix> - l, d, h, w it scale along x, y, z and w (weight on separate single dimension) <numeric>
m	bn scales <vector> - l, d, h, w bn scale along x, y, z and w (weight on separate single dimension) <numeric>

### Details

gbp4d init a profit vector p, a length l, a depth d, a height h, and a weight w, along with associate constraints ml, md, mh and mw. gbp4d should fit it (l, d, h, w) into bn (ml, md, mh, mw) with w on weight limit constraint and l, d, h on geometry interpretation. gbp4d solver would solve

$$\text{maximize } \sum_{j=1}^n p_j k_j$$

subject to  $\sum_{j=1}^n w_j k_j \leq mw$  and

fit  $(l_j, d_j, h_j)$  at coordinate  $(x_j, y_j, z_j)$  such that no overlap in ml x md x mh cuboid,  $j = 1, \dots, n$

and instantiate a gbp4d object with a x-axis coordinate vector x, a y-axis coordinate vector y, a z-axis coordinate vector z, a selection vector k, and an objective o.

### Value

gbp4d a gbp4d instantiate with p profit, it item (x, y, z, w, l, d, h, w) position scale matrix, bn bin (l, d, h, w) scale vector, k selection, o objective, and ok an indicator of all fit or not.

### See Also

Other gbp4d: [gbp4d\\_checkr](#), [gbp4d](#)



---

 gbp4d\_solver\_dpp\_filt *gbp4d\_solver\_dpp\_filt*


---

### Description

solve gbp4d w.r.t select most preferable often smallest bin from bn list

### Usage

```
gbp4d_solver_dpp_filt(ldhw, m)
```

### Arguments

ldhw	it scale <matrix> - l, d, h, w it scale along x, y, z and w <numeric>
m	bn scale <matrix> - l, d, h, w bn scale along x, y, z and w <numeric> - l, d, h, w in row and each col is a single bn should make sure bn list are sorted via volume so that the first col is the most preferred smallest bn, and also the last col is the least preferred largest and often dominant bn should make sure no X in front of Y if bnX dominant bnY, bnX dominant bnY if all( $X(l, d, h) > Y(l, d, h)$ ) and should always prefer Y. should make sure bn such that $l \geq d \geq h$ or vice versa.

### Details

gbp4d\_solver\_dpp\_filt is built on top of gbp4d\_solver\_dpp aims to select the most preferable bn from a list of bn that can fit all or most it

gbp4d\_solver\_dpp()'s objective is fit all or most it into a single given bn (l, d, h, w)

gbp4d\_solver\_dpp\_filt()'s objective is select the most preferable given a list of bn where bn list is specified in 4xN matrix that the earlier column the more preferable

gbp4d\_solver\_dpp\_filt() use an approx binary search and determine f w.r.t bn.n\_cols where f = 1 indicate the bn being selected and only one of 1 in result returned.

ok = true if any bin can fit all it and algorithm will select smallest bn can fit all otherwise ok = false and algorithm will select a bn can maximize volume of fitted it

often recommend to make the last and least preferable bn dominate all other bn in list when design bn list, bnX dominant bnY if all( $X(l, d, h) > Y(l, d, h)$ ).

### Value

gbp4q a gbp4q instantiate with p profit, it item (x, y, z, w, l, d, h, w) position scale matrix, bn bin (l, d, h, w) scale matrix, k it selection, o objective, f bn selection, and ok an indicator of all fit or not.

### See Also

Other gbp4q: [gbp4q\\_checkr](#), [gbp4q](#)

---

gbp4d\_solver\_dpp\_prep\_create\_p  
*gbp4d\_solver\_dpp\_prep\_create\_p*

---

**Description**

auxilium of gbp4d\_solver\_dpp

**Usage**

gbp4d\_solver\_dpp\_prep\_create\_p(ldhw, m)

**Arguments**

ldhw	4xN matrix of l, d, h, w of it
m	4x1 vector of l, d, h, w of bn

**Details**

create p via ldhw and m via cluster w, cluster max(l, d, h) and area strategy

**Value**

p

---

gbp4d_viewer	<i>gbp4d_viewer</i>
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---

**Description**

gbp4d solution viewer

**Usage**

gbp4d\_viewer(sn, title = NULL, subtitle = NULL)

**Arguments**

sn	sn gbp4d object, solution from gbp4d_solver_dpp, see gbp4d.
title	title <character>
subtitle	subtitle <character>

gbp4q

*gbp4q***Description**

generalized bin packing problem in 4 dimension, a.k.a bin packing problem with weight limit.

**Usage**

gbp4q

**Format**

An object of class C++Class of length 1.

**Details**

gbp4d init a profit vector  $p$ , a length  $l$ , a depth  $d$ , a height  $h$ , and a weight  $w$ , along with associate constraints  $ml$ ,  $md$ ,  $mh$  and  $mw$ . gbp4d should fit it  $(l, d, h, w)$  into  $bn$   $(ml, md, mh, mw)$  with  $w$  on weight limit constraint and  $l, d, h$  on geometry interpretation. gbp4d solver would solve

maximize  $\sum_{j=1}^n p_j k_j$

subject to  $\sum_{j=1}^n w_j k_j \leq mw$  and

fit  $(l_j, d_j, h_j)$  at coordinate  $(x_j, y_j, z_j)$  such that no overlap in  $ml \times md \times mh$  cuboid,  $j = 1, \dots, n$

and instantiate a gbp4d object with a x-axis coordinate vector  $x$ , a y-axis coordinate vector  $y$ , a z-axis coordinate vector  $z$ , a selection vector  $k$ , and an objective  $o$ .

gbp4q solver would also select the most preferred often smallest  $m$  from a list of  $m(l, d, h)$  after determine all or the highest volume set of  $ld$  can fit into one  $m(l, d, h)$  w.r.t the weight constraint.

a gbp4q class instance has 7 fields:

-  $p$ : profit of it fit into  $bn$  <vector>

created via cluster  $w$  via gbp4d, cluster  $\max(l, d, h)$  and area via gbp4d\_solver\_dpp\_main\_create\_p()

-  $it$ : it position and scale <matrix>

-  $x, y, z, w$  it position and  $w$  in the bin <numeric> ( $w$  hold in  $bn$  when fit it in  $bn$ )

-  $l, d, h, w$  it scale along  $x, y, z$  and  $w$  <numeric> ( $w$  of it itself)

-  $bn$ :  $bn$  scale <matrix>

-  $l, d, h, w$   $bn$  scale along  $x, y, z$  and  $w$  <numeric>

matrix of 4 rows and each column is a single  $bn$

should make sure  $bn$  list are sorted via volume so that the first col is the most preferred smallest  $bn$ , and also the last col is the least preferred largest and often dominant  $bn$

should make sure no  $X$  in front of  $Y$  if  $bnX$  dominant  $bnY$ ,  $bnX$  dominant  $bnY$  if  $\text{all}(X(l, d, h) > Y(l, d, h))$  and should always prefer  $Y$ .

should make sure  $bn$  such that  $l \geq d$  or vice versa.

- k: selection indicator 0, 1 on it <vector>
  - f: selection indicator 0, 1, 2, 3 on bn <vector>
- f in result should have no 0 and only one of 1
- o: objective achievement volumn fit in over volumn overall <numeric>
  - ok: a quick indicator of all it fit into bn? <bool>

**See Also**

Other gbp4q: [gbp4d\\_solver\\_dpp\\_filt](#), [gbp4q\\_checkr](#)

---

gbp4q\_checkr

*gbp4q\_checkr*

---

**Description**

auxilium of [gbp4d\\_solver\\_dpp\\_filt](#)

**Usage**

`gbp4q_checkr(sn)`

**Arguments**

sn                    <gbp4q> gbp4q object from [gbp4d\\_solver\\_dpp\\_filt\(\)](#) solution.

**Details**

check fit solution is valid: no conflict between item and bin, and no conflict between each pair of item, and no conflict on weight limit.

**Value**

okfit? <bool>

**See Also**

Other gbp4q: [gbp4d\\_solver\\_dpp\\_filt](#), [gbp4q](#)

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gbp4q_viewer	<i>gbp4q_viewer</i>
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---

**Description**

gbp4q solution viewer

**Usage**

```
gbp4q_viewer(sn, title = NULL, subtitle = NULL)
```

**Arguments**

sn	sn gbp4q object, solution from gbp4d_solver_dpp_filt, see gbp4q.
title	title <character>
subtitle	subtitle <character>

---

Ktlist2d	<i>Ktlist2d</i>
----------	-----------------

---

**Description**

Ktlist2d hold multiple kt for recursive fit

**Usage**

```
Ktlist2d
```

**Format**

An object of class C++Class of length 1.

**Details**

Ktlist2d hold multiple kt via consider all possible fit onto different xp and different rotation and nlimit

a Ktlist2d class instance has 4 fields:

- n: length of kt candidate position scale vector list
- kt: candidate (x, y, l, d) fit of it current investigating
- xp: candidate extreme point list after kt fit into each corresponding (x, y, l, d) position scale
- s: score of each kt fit: calculate overall extrem point residual space entropy as score, the smaller the better, since smaller entropy indicate concentrated residual space and less number of extreme point.

**Note**

internal cpp class use in `gbp2d_solver_dpp()`

**See Also**

Other `gbp2d_it`: [gbp2d\\_it\\_create\\_ktlist](#)

---

`Ktlist3d`*Ktlist3d*

---

**Description**

Ktlist3d hold multiple kt for recursive fit

**Usage**

`Ktlist3d`

**Format**

An object of class `C++Class` of length 1.

**Details**

Ktlist3d hold multiple kt via consider all possible fit onto different xp and different rotation and nlimit

a Ktlist3d class instance has 4 fields:

- n: length of kt candidate position scale vector list
- kt: candidate (x, y, z, l, d, h) fit of it current investigating
- xp: candidate extreme point list after kt fit into each corresponding (x, y, z, l, d, h) position scale
- s: score of each kt fit: calculate overall extrem point residual space entropy as score, the smaller the better, since smaller entropy indicate concentrated residual space and less number of extreme point.

**Note**

internal cpp class use in `gbp3d_solver_dpp()`

**See Also**

Other `gbp3d_it`: [gbp3d\\_it\\_create\\_ktlist](#)

---

Ktlist4d

*Ktlist4d*

---

### Description

Ktlist4d hold multiple kt for recursive fit

### Usage

Ktlist4d

### Format

An object of class C++Class of length 1.

### Details

Ktlist4d hold multiple kt via consider all possible fit onto different xp and different rotation and nlimit

a Ktlist4d class instance has 4 fields

- n: length of kt candidate position scale vector list
- kt: candidate (x, y, z, w, l, d, h, w) fit of it current investigating  
x, y, z, w - weight holding in bn when fit; l, d, h, w - weight of it itself
- xp: candidate extreme point list after kt fit into each corresponding (x, y, z, l, d, h) position scale
- s: score of each kt fit: calculate overall extrem point residual space entropy as score, the smaller the better, since smaller entropy indicate concentrated residual space and less number of extreme point.

### Note

internal cpp class use in gbp4d\_solver\_dpp()

### See Also

Other gbp4d\_it: [gbp4d\\_it\\_create\\_ktlist](#)

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