

# Package ‘qut’

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**Type** Package

**Title** Quantile Universal Threshold

**Version** 2.2

**Description** Thresholding based tests for null hypothesis of the form  $A\beta = c$ , and the Quantile Universal Threshold (QUT) for lasso regularization of Generalized Linear Models (GLM) and square-root lasso to obtain a sparse model with a good compromise between high true positive rate and low false discovery rate. Giacobino et al. (2017) <doi:10.1214/17-EJS1366>. Sardy et al. (2017) <arXiv:1708.02908>.

**License** GPL-2

**Depends** Matrix, glmnet, lars, flare

**NeedsCompilation** no

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QUT-package                      *Quantile Universal Threshold*

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**Description**

Selection of a threshold parameter  $\lambda$  for GLM-lasso and Square-root lasso. The method consists in considering a null model, finding the theoretical distribution of the threshold parameter under the null, and setting  $\lambda$  to an upper quantile of that distribution. Although this strategy does not use the data to select  $\lambda$  but simply considers the behavior under the null model, it provides a theoretically and computationally sound selection.

**Details**

Package: QUT  
 Type: Package  
 License: GPL-2

**Author(s)**

Jairo Diaz Rodriguez <jairo.diaz@unige.ch>

**References**

C. Giacobino, J. Diaz Rodriguez, S. Sardy, N. Hengartner. Quantile universal threshold for model selection. 2016

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affinlassotest                      *Affine lasso test*

---

**Description**

Perform thresholding tests for null hypothesis of the form  $H_0: A\beta = c$ .

**Usage**

```
affinlassotest(y, Xdata, family = gaussian, alpha, beta0=NA, cc = NA, lambdas = NA,
  outrescale = NA, intercept = TRUE, group.sizes = rep(1, ncol(X)), A = ncol(X),
  LAD = FALSE, composite = TRUE, M = round(min(10000, max(1000, 1e+09/nrow(X)/ncol(X))))))
```

**Arguments**

<code>y</code>	response variable. Quantitative for <code>family=gaussian</code> , or <code>family=poisson</code> (non-negative counts). For <code>family=binomial</code> should be a factor with two levels.
<code>Xdata</code>	input matrix, of dimension $n \times p$ ; each row is an observation vector.
<code>family</code>	response type (see above). Default is <code>gaussian</code> .
<code>alpha</code>	desired level of the test.
<code>beta0</code>	if known, value of the nuisance parameter. Otherwise it takes <code>beta0=0</code> , and the statistic is asymptotically a pivot for non-Gaussian.
<code>cc</code>	vector <code>c</code>
<code>lambdas</code>	if not provided, the code performs <code>M</code> Monte Carlo simulation to obtain the empirical distribution $\Lambda$ and the corresponding value in the $\alpha$ -quantile for testing. Otherwise, vector with all the Monte Carlo values of <code>lambda</code> . Default is <code>NA</code> .
<code>outrescale</code>	object containing all variables corresponding to the rescaling and test options. If not provided, this is calculated automatically with function <code>processX</code> . Default is <code>NA</code> .
<code>intercept</code>	should intercept(s) be fitted (default= <code>TRUE</code> ) or set to zero ( <code>FALSE</code> ).
<code>group.sizes</code>	the vector of group sizes for affine group lasso. The number of elements is <code>L</code> and <code>sum(group.sizes)</code> should be equal to <code>P</code> . If <code>L==P</code> , then the lasso test is employed, otherwise group lasso. Default is no groups, so <code>rep(1, ncol(X))</code> .
<code>A</code>	if <code>A</code> is a matrix it tests $A\beta = c$ . If <code>A</code> is a vector, then it gives the indexes of the parameters to be tested. Used if <code>family=gaussian</code> . Default is to test <code>beta=0</code> , so <code>A=ncol(X)</code> .
<code>LAD</code>	set <code>TRUE</code> if LAD lasso test. Default is <code>FALSE</code>
<code>composite</code>	set <code>TRUE</code> if composite test ( <code>O &amp; +</code> ). Default is <code>TRUE</code>
<code>M</code>	number of Monte Carlo Simulations to estimate the distribution $\Lambda$ .

**Value**

<code>lambda.alpha</code>	value of $\lambda$ in the $\alpha$ -quantile
<code>lambda.data</code>	value of $\lambda$ for the current data.
<code>rejectH0</code>	result of the test. <code>TRUE</code> if $H_0$ is rejected.
<code>lambdas</code>	values of $\lambda$ of the Monte Carlo simulation under the null hypothesis.
<code>outrescale</code>	object containing all the rescaling variables.
<code>pvalue</code>	approximate p-value for current data.

**Author(s)**

Sylvain Sardy and Jairo Diaz Rodriguez

**References**

Thresholding tests. Sylvain Sardy, Caroline Giacobino, Jairo Diaz.

**Examples**

```

# Test H0:beta=0
P=200
N=20
s=1
A=P
alpha=0.05
X=matrix(rnorm(N*P),N,P)
M=100 #Leave the default or select higher value for better level.

#when H0 is not rejected
beta_scal=0
beta=c(rep(beta_scal, s), rep(0, P-s))
y=X%%beta+rnorm(N)
out=affinellastotest(y,X,gaussian,alpha,M=M)
print(out$rejectH0)

#when H0 is rejected
beta_scal=10
beta=c(rep(beta_scal, s), rep(0, P-s))
y=X%%beta+rnorm(N)
out=affinellastotest(y,X,gaussian,alpha,M=M)
print(out$rejectH0)

```

---

chemometrics

*Chemometrics data set from Sardy (2008)*


---

**Description**

Fuel octane level measurements with sample size  $N = 434$  and  $P = 351$  spectrometer measurements.

**Usage**

```
data(chemometrics)
```

**Format**

A data frame with 434 observations on the following 2 variables.

y a numeric vector  
x a matrix with 351 columns

**References**

S. Sardy. On the practice of rescaling covariates. *International Statistical Review*. 2008

**Examples**

```
data(chemometrics)
```

---

internetAd	<i>InternetAd data set from Kushmerick (1999)</i>
------------	---

---

**Description**

Classification of  $N = 2359$  possible advertisements on internet pages based on  $P = 1430$  features

**Usage**

```
data(internetAd)
```

**Format**

A data frame with 2359 observations on the following 2 variables.

y a numeric vector

x a matrix with 1430 columns

**References**

N. Kushmerick. Learning to remove internet advertisements. In Proceedings of the Third Annual Conference on Autonomous Agents. 1999

**Examples**

```
data(internetAd)
```

---

lambdaqut	<i>Quantile Universal Threshold, regularization parameter for GLM-lasso</i>
-----------	---

---

**Description**

Computes the Quantile Universal Threshold for GLM-lasso.

**Usage**

```
lambdaqut(y, X, family = gaussian, alpha.level = 0.05, M = 1000,  
  qut.standardize = TRUE, intercept = TRUE, no.penalty = NULL, offset = NULL,  
  bootstrap=TRUE,beta0=NA,method='lasso',fixbeta0=FALSE)
```

**Arguments**

<code>y</code>	response variable. Quantitative for <code>family=gaussian</code> , or <code>family=poisson</code> (non-negative counts). For <code>family=binomial</code> should be a factor with two levels.
<code>X</code>	input matrix, of dimension $n \times p$ ; each row is an observation vector.
<code>family</code>	response type (see above). Default is <code>gaussian</code> .
<code>alpha.level</code>	level, such that quantile $\tau = (1-\text{alpha.level})/\gamma$ . Default is 0.05.
<code>M</code>	number of Monte Carlo Simulations to estimate the distribution $\Lambda$ . Default is 1000.
<code>qut.standardize</code>	standardize matrix <code>X</code> with a quantile-based standardization. Default is <code>TRUE</code> .
<code>intercept</code>	should intercept(s) be fitted (default= <code>TRUE</code> ) or set to zero ( <code>FALSE</code> ).
<code>no.penalty</code>	unpenalized subset of covariates.
<code>offset</code>	a vector of length $n$ that is included in the linear predictor. Useful for the "poisson" family (e.g. log of exposure time), or for refining a model by starting at a current fit. Default is <code>NULL</code> .
<code>bootstrap</code>	set <code>TRUE</code> if it is desired to bootstrap matrix <code>X</code> when computing the Quantile Universal Threshold (Random scenario). Default is <code>TRUE</code> .
<code>beta0</code>	coefficients of the unpenalized covariates for generating the null data for the Quantile Universal Threshold. By default is <code>NA</code> and it is estimated using the unpenalized covariates and/or the intercept if <code>TRUE</code> . If it is desired to set <code>beta0</code> in advance, then it should be a vector of size the number of unpenalized covariates including the intercept if <code>intercept=TRUE</code> , in the same order. If there are not unpenalized covariates and <code>intercept=TRUE</code> , then it must be a real number.
<code>method</code>	objective function for the zero thresholding. Select <code>lasso</code> for GLM-lasso or <code>sqrtlasso</code> for Square-root lasso.
<code>fixbeta0</code>	used when <code>beta0</code> is numeric. When <code>TRUE</code> , it does not estimate <code>beta0</code> for each monte carlo simulation.

**Value**

<code>lambda</code>	value of the Quantile Universal Threshold.
<code>Xnew</code>	standardized matrix <code>X</code> ; $X_{\text{new}} = X \times \text{scale.factor}$ .
<code>scale.factor</code>	scale factor for <code>Xnew</code> .
<code>lambda.max</code>	smallest <code>lambda</code> that sets the lasso estimates to the zero vector.
<code>beta0</code>	estimated value of the intercept when <code>family</code> is not <code>gaussian</code> .

**Author(s)**

Jairo Diaz

**References**

C. Giacobino, J. Diaz, S. Sardy, N. Hengartner. Quantile universal threshold for model selection. 2016  
 Jianqing Fan, Shaojun Guo and Ning Hao. Variance estimation using refitted cross-validation in ultrahigh dimensional regression. Journal of the Royal Statistical Society: Series B. 2012  
 Stephen Reid, Robert Tibshirani, and Jerome Friedman. A Study of Error Variance Estimation in Lasso Regression. 2013

**See Also**

[qut](#)

**Examples**

```
X=matrix(rnorm(20*200),20,200)
y=rnorm(20)+1
lambda=lambdaqut(y,X,family=gaussian)
```

---

predict.qut

*Make predictions from a "qut" object.*

---

**Description**

Similar to other predict methods, this function predicts fitted values from a fitted "qut" object

**Usage**

```
## S3 method for class 'qut'
predict(object, newx, mode = "glm", offset = NULL,...)
## S3 method for class 'qut'
coef(object, mode = "glm",...)
```

**Arguments**

object	fitted "qut" model object.
newx	matrix of new values for X at which predictions are to be made. Must be a matrix.
mode	make predictions with lasso coefficients (type=lasso) or with fitted glm coefficients (type=glm). Default is glm.
offset	if an offset is used in the fit, then one must be supplied for making predictions
...	not used. Other arguments to predict.

**Value**

a vector/matrix of fitted values

**Author(s)**

Jairo Diaz

**See Also**[qut](#)**Examples**

```

set.seed(1234)
x=matrix(rnorm(200*20),200,20)
y1=x[,1]*10+rnorm(100)

fit1=qut(y1,x,family=gaussian,sigma=1)
predict(fit1,newx=x[1:5,])
predict(fit1,newx=x[1:5,],mode='lasso')
y1[1:5]

coef(fit1,mode='lasso')
coef(fit1,mode='glm')

```

---

`processX`*Process X matrix*

---

**Description**

Rescales and transforms the X matrix according to the desired parameters, and sets all the options required by the test.

**Usage**

```

processX(X, family = gaussian, alpha, intercept = TRUE, group.sizes = rep(1, ncol(X)),
A = ncol(X), LAD = FALSE, composite = TRUE,
M = min(10000, max(1000, 1e+10/nrow(X)/ncol(X))))

```

**Arguments**

X	input matrix, of dimension n x p; each row is an observation vector.
family	response type (see above). Default is gaussian.
alpha	alpha for quantile rescaling; if alpha=0, then no rescaling.
intercept	should intercept(s) be fitted (default=TRUE) or set to zero (FALSE).
group.sizes	the vector of group sizes for affine group lasso. The number of elements is L and sum(group.sizes) should be equal to P. If L==P, then the lasso test is employed, otherwise group lasso. Default is no groups, so rep(1, ncol(X)).



A	if A is a matrix it tests $A\beta = c$ . If A is a vector, then it gives the indexes of the parameters to be tested. Used if family=gaussian. Default is to test $\beta=0$ , so $A=\text{ncol}(X)$ .
LAD	set TRUE if LAD lasso test. Default is FALSE
composite	set TRUE if composite test (O & +). Default is TRUE
M	number of Monte Carlo Simulations to estimate the distribution $\Lambda$ .

**Value**

an object containing all the variables corresponding to the rescaling and test options.

**Author(s)**

Sylvain Sardy and Jairo Diaz

**Examples**

```
# Test H0:beta=0
P=200
N=20
s=1
A=P
alpha=0.05
X=matrix(rnorm(N*P),N,P)
outrescale=processX(X,gaussian,alpha)
M=100 #Leave the default or select higher value for better level.

#when H0 is not rejected
beta_scal=0
beta=c(rep(beta_scal, s), rep(0, P-s))
y=X%*%beta+rnorm(N)
out=affinlassotest(y,X,gaussian,alpha,M=M,outrescale=outrescale)
print(out$rejectH0)

#when H0 is rejected
beta_scal=10
beta=c(rep(beta_scal, s), rep(0, P-s))
y=X%*%beta+rnorm(N)
out=affinlassotest(y,X,gaussian,alpha,M=M,outrescale=outrescale)
print(out$rejectH0)
```

---

qut

*Fit a low dimensional GLM or Square-root lasso using the Quantile Universal Threshold*

---

**Description**

Variable selection with GLM-lasso or Square-root lasso choosing the penalty parameter  $\lambda$  with the Quantile Universal Threshold. The procedure goes towards sparse estimation of the coefficients for good selection of the important predictors.

**Usage**

```
qut(y,X,fit,family=gaussian,alpha.level=0.05,M=1000,qut.standardize=TRUE,
intercept=TRUE,offset=NULL,bootstrap=TRUE,sigma=ifelse(n>2*p,'ols','qut'),beta0='iterglm',
estimator='unbiased',type=c('glmnet','lars','flare'),lambda.seq=0,penalty.factor=rep(1,p),
lambda.min.ratio=ifelse(n<p,0.01,0.0001),nlambda=ifelse(type=='flare',2,100),
lambda=NULL,...)
```

**Arguments**

y	response variable. Quantitative for family=gaussian, or family=poisson (non-negative counts). For family=binomial should be a factor with two levels.
X	input matrix, of dimension n x p; each row is an observation vector.
fit	a user supplied glmnet or lars object. Typical usage is to leave it empty so that the program computes the regularization path using the algorithm selected in type. <b>WARNING:</b> use with care, if supplied, object options must match with user supplied options.
family	response type (see above). Default is gaussian.
alpha.level	level, such that quantile $\tau = (1-\text{alpha.level})$ . Default is 0.05.
M	number of Monte Carlo Simulations to estimate the distribution $\Lambda$ . Default is 1000.
qut.standardize	standardize matrix X with a quantile-based standardization. Default is TRUE. It is not used for sqrt-lasso.
intercept	should intercept(s) be fitted (default=TRUE) or set to zero (FALSE).
offset	a vector of length n that is included in the linear predictor. Useful for the poisson family (e.g. log of exposure time), or for refining a model by starting at a current fit. Default is NULL.
bootstrap	set TRUE if it is desired to bootstrap matrix X when computing the Quantile Universal Threshold (Random scenario). Default is TRUE.
sigma	standard deviation of the Gaussian errors. Used only if family=gaussian. When sigma = 'qut', it is estimated based on the Quantile Universal Threshold (default if $n \leq 2p$ ); when sigma = 'rcv', it is estimated using Refitted Cross Validation in Fan et al. 2012; and when sigma = 'cv', it is estimated using cross validation as in Reid et al. 2013. If sigma is a positive real number, then that value is used for the standard deviation. If $n > p$ and sigma='ols' it is estimated using the ordinary least squares estimator (default if $n > 2p$ )
beta0	coefficients of the unpenalized covariates for generating the null data for the Quantile Universal Threshold. When is 'iterglm' (Default) or 'iter', it is estimated using one step iteration of the entire procedure with maximum likelihood estimation or the lasso estimation, respectively. If 'noiter' then it is estimated without iterating. If it is desired to set beta0 in advance, then it should be a vector of size the number of unpenalized covariates including the intercept if intercept=TRUE, in the same order. If there are not unpenalized covariates and intercept=TRUE, then it must be a real number.

estimator	type of estimation of sigma when sigma = 'qut'. It can be equal to 'unbiased' (standard unbiased formula), or 'mle' (maximum likelihood formula).
type	algorithm for solving the optimization problem. It can be lars (type='lars') or glmnet (type='glmnet') for GLM-lasso, or flare (type='flare') for Square-root lasso. For GLM-lasso, if family is not gaussian, penalty.factor is different from default, or offset different from NULL, glmnet will be always used. Default is 'glmnet'.
lambda.seq	preset lambda sequence when type = 'glmnet'. If lambda.seq<2 the sequence of lambdas goes decreasing from lambda.max to lambda.qut. If lambda.seq= 0, lambda sequence is equispaced. If lambda.seq= 1, lambda sequence is equispaced in the log scale. Use lambda.seq=2 for glmnet default options. Default is 0.
penalty.factor	separate penalty factors can be applied to each coefficient. This is a number that multiplies lambda to allow differential shrinkage. Can be 0 for some variables, which implies no shrinkage, and that variable is always included in the model. Default is 1 for all variables (and implicitly infinity for variables listed in exclude). Note: the penalty factors are internally rescaled to sum to n, and the lambda sequence will reflect this change.
lambda.min.ratio	smallest value for lambda, as a fraction of lambda.max. As in glmnet.
nlambda	the number of lambda. As in glmnet. Default is 100.
lambda	a user supplied lambda sequence. As in glmnet. Not used when type='flare'.
...	glmnet or lars options.

### Value

lambda	value of the Quantile Universal Threshold.
fit	object fitted by glmnet or lars.
beta	coefficients obtained with the Quantile Universal Threshold.
betaglm	coefficients obtained fitting GLM with the non zero coefficients in beta.
beta0	estimated value of the intercept when family is not gaussian.
family	response type
sigma	standard deviation estimate of the errors (when family=gaussian)
scale.factor	scale factor used for standardizing X.

### Author(s)

Jairo Diaz Rodriguez

### References

C. Giacobino, J. Diaz, S. Sardy, N. Hengartner. Quantile universal threshold for model selection. 2016 Jianqing Fan, Shaojun Guo and Ning Hao. Variance estimation using refitted cross-validation in ultrahigh dimensional regression. Journal of the Royal Statistical Society: Series B. 2012 Stephen Reid, Robert Tibshirani, and Jerome Friedman. A Study of Error Variance Estimation in Lasso Regression. 2013

**See Also**[lambdaqut](#)**Examples**

```

set.seed(1234)
X=matrix(rnorm(50*500),50,500)
beta=c(rep(10,5),rep(0,500-5))
y=X %%% beta+rnorm(50)

outqut=qut(y,X,type='glmnet',family=gaussian,sigma=1) #Fitting with qut
betaqut=outqut$beta[-1]

outcv=cv.glmnet(X,y,family='gaussian') #fitting with Cross-Validation
betacv=coef(outcv$glmnet.fit,s=outcv$lambda.min)[-1]

results=rbind( c(sum(betaqut[1:5]!=0),sum(betaqut[-(1:5)]!=0)),
c(sum( betacv[1:5]!=0), sum(betacv[-(1:5)]!=0)) )
colnames(results)=c('True Positive','False Positive')
rownames(results)=c('qut','cv')

print(results)

```

---

riboflavin*Riboflavin data set from Buhlmann et al. (2013)*

---

**Description**

Dataset of riboflavin production by *Bacillus subtilis* containing  $n = 71$  observations of  $p = 4088$  predictors (gene expressions) and a one-dimensional response (riboflavin production)

**Usage**

```
data(riboflavin)
```

**Format**

A data frame with 71 observations on the following 2 variables.

`y` a numeric vector

`x` a matrix with 4088 columns

**References**

Buhlmann, P., Kalisch, M. and Meier, L. (2013). High-dimensional statistics with a view towards applications in biology. To appear in Annual Review of Statistics and its Applications.

**Examples**

```
data(riboflavin)
```

---

```
sigmaqut
```

---

*Estimation of  $\sigma$  based on the Quantile Universal Threshold*

---

**Description**

Estimation of  $\sigma$  using a two layer estimation scheme as in Refitted Cross Validation, by performing variable selection with the Quantile Universal Threshold, and obtaining the two estimations of sigma with the ordinary least squares estimator.

**Usage**

```
sigmaqut(y, X, estimator = "unbiased", intercept = TRUE,
alpha.level = "default", M = 1000, qut.standardize = TRUE,
penalty.factor = rep(1, p), offset = NULL, ...)
```

**Arguments**

y	response variable. Quantitative for family=gaussian, or family=poisson (non-negative counts). For family=binomial should be a factor with two levels.
X	input matrix, of dimension n x p; each row is an observation vector.
estimator	type of estimation of sigma when sigma = 'qut'. It can be equal to 'unbiased' (standard unbiased formula), or 'mle' (maximum likelihood formula).
intercept	should intercept(s) be fitted (default=TRUE) or set to zero (FALSE).
alpha.level	level, such that quantile $\tau = (1-\text{alpha.level})/\gamma$ . Default is $1/(\sqrt{\pi \log(p)})$ .
M	number of Monte Carlo Simulations to estimate the distribution $\Lambda$ . Default is 1000.
qut.standardize	standardize matrix X with a quantile-based standardization. Default is TRUE.
penalty.factor	separate penalty factors can be applied to each coefficient. As in qut.
offset	a vector of length n that is included in the linear predictor. As in qut.
...	other glmnet options.

**Value**

Estimator of  $\sigma$

**Note**

[lambdaqut,qut](#)

**Author(s)**

Jairo Diaz

sigmarcv

*Variance estimation using refitted cross-validation***Description**

Variance estimation using refitted cross-validation in ultrahigh dimensional regression.

**Usage**

```
sigmarcv(y, X, cv = FALSE, fit = NA, intercept = TRUE)
```

**Arguments**

<code>y</code>	response variable. Quantitative for <code>family=gaussian</code> , or <code>family=poisson</code> (non-negative counts). For <code>family=binomial</code> should be a factor with two levels.
<code>X</code>	input matrix, of dimension $n \times p$ ; each row is an observation vector.
<code>cv</code>	when <code>FALSE</code> , variance is estimated using Refitted Cross Validation in Fan et al. 2012; and when <code>TRUE</code> , it is estimated using cross validation as in Reid et al. 2013. Default is <code>FALSE</code> .
<code>fit</code>	A user supplied <code>glmnet</code> or <code>lars</code> object. Typical usage is to leave it empty so that the program computes the regularization path using the algorithm selected in <code>type</code> . <b>WARNING:</b> use with care, if supplied, object options must match with user supplied options.
<code>intercept</code>	should intercept(s) be fitted (default= <code>TRUE</code> ) or set to zero ( <code>FALSE</code> ).

**Value**

Estimator of  $\sigma$

**Author(s)**

Jianqing Fan, Shaojun Guo. Modified by Jairo Diaz.

**References**

Jianqing Fan, Shaojun Guo and Ning Hao. Variance estimation using refitted cross-validation in ultrahigh dimensional regression. *Journal of the Royal Statistical Society: Series B*. 2012

ztf

*Zero thresholding function***Description**

Obtains the value of the minimum regularization parameter that sets all coefficients to zero for different types of thresholding tests.

**Usage**

```
ztf(y,Xdata, family=gaussian, A=ncol(Xdata), cc=NA, intercept=TRUE,
group.sizes=rep(1,ncol(Xdata)), LAD=FALSE, outrescale=NA, composite=TRUE, alpha=0,
M=min(1.e4, max(1000,1.e10/nrow(Xdata)/ncol(Xdata))))
```

**Arguments**

y	response variable. Quantitative for family=gaussian, or family=poisson (non-negative counts). For family=binomial should be a factor with two levels.
Xdata	input matrix, of dimension n x p; each row is an observation vector.
family	response type (see above). Default is gaussian.
A	if A is a matrix it tests $A\beta = c$ . If A is a vector, then it gives the indexes of the parameters to be tested. Used if family=gaussian. Default is to test $\beta=0$ , so $A=ncol(X)$ .
cc	vector c
intercept	should intercept(s) be fitted (default=TRUE) or set to zero (FALSE).
group.sizes	the vector of group sizes for affine group lasso. The number of elements is L and $\text{sum}(\text{group.sizes})$ should be equal to P. If $L==P$ , then the lasso test is employed, otherwise group lasso. Default is no groups, so $\text{rep}(1, \text{ncol}(X))$ .
LAD	set TRUE if LAD lasso test. Default is FALSE
outrescale	object containing all variables corresponding to the rescaling and test options. If not provided, this is calculated automatically with function processX. Default is NA.
composite	set TRUE if composite test (O & +). Default is TRUE
alpha	alpha for quantile rescaling; if alpha=0, then no rescaling.
M	number of Monte Carlo Simulations to estimate the distribution $\Lambda$ .

**Value**

value of the minimum regularization parameter that sets all coefficients to zero

**Author(s)**

Sylvain Sardy and Jairo Diaz

**Examples**

```
# Test H0:beta=0
P=200
N=20
s=1
A=P
X=matrix(rnorm(N*P),N,P)
M=100 #Leave the default or select higher value for better level.
#when H0 is not rejected
beta_scal=0
beta=c(rep(beta_scal, s), rep(0, P-s))
y=X%*%beta+rnorm(N)
zerolambda=ztf(y,X,M=M)
print(zerolambda)

#when H0 is rejected
beta_scal=10
beta=c(rep(beta_scal, s), rep(0, P-s))
y=X%*%beta+rnorm(N)
zerolambda=ztf(y,X,M=M)
print(zerolambda)
```



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