# Package 'ECLRMC' 

August 31, 2018
Title Ensemble Correlation-Based Low-Rank Matrix Completion
Description Ensemble correlation-based low-rank matrix completion method (ECLRMC) is an extension to the LRMC based methods. Traditionally, the LRMC based methods give identical importance to the whole data which results in emphasizing on the commonality of the data and overlooking the subtle but crucial differences. This method aims to overcome the equality assumption problem that exists in the current LRMS based methods. Ensemble correlation-based lowrank matrix completion (ECLRMC) takes consideration of the specific characteristic of each sample and performs LRMC on the set of samples with a strong correlation. It uses an ensemble learning method to improve the imputation performance. Since each sample is analyzed independently this method can be parallelized by distributing imputation across many computation units or GPU platforms. This package provides three different methods (LRMC, CLRMC and ECLRMC) for data imputation. There is also an NRMS function for evaluating the result. Chen, Xiaobo, et al (2017) [doi:10.1016/j.knosys.2017.06.010](doi:10.1016/j.knosys.2017.06.010).
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\text { CLRMC . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . . } 2
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Index CLRMC method.

## Description

Takes an incomplete matrix and returns the imputed matrix using CLRMC method.

## Usage

CLRMC ( x , beta $=0.1$ )

## Arguments

$x \quad$ An $m$ by $n$ matrix with NAs
beta A value in [0,1] range. Higher beta value means comparing each row with more nearest neighbours. Default value $=0.1$

## Value

An m by $n$ matrix with imputed values

## References

Chen, Xiaobo, et al. "Ensemble correlation-based low-rank matrix completion with applications to traffic data imputation." Knowledge-Based Systems 132 (2017): 249-262.

## Examples

$x=\operatorname{matrix}(c(5.1,4.9, N A, 4.6,3.5,3.0,3.2,3.1,1.4, N A, 1.3,1.5)$, byrow $=$ TRUE, ncol=4) CLRMC (x, beta $=0.2$ )

## ECLRMC

Takes an incomplete matrix and returns the imputed matrix using ECLRMC method.

## Description

Takes an incomplete matrix and returns the imputed matrix using ECLRMC method.

## Usage

$\operatorname{ECLRMC}(x$, beta $=0.1)$

## Arguments

x
An m by n matrix with NAs
beta A value in [0,1] range. Higher beta value means comparing each row with more nearest neighbours. Default value $=0.1$

## Value

An $m$ by $n$ matrix with imputed values

## References

Chen, Xiaobo, et al. "Ensemble correlation-based low-rank matrix completion with applications to traffic data imputation." Knowledge-Based Systems 132 (2017): 249-262.

## Examples

```
x = matrix(c(5.1, 4.9, NA, 4.6, 3.5, 3.0, 3.2, 3.1, 1.4, NA, 1.3, 1.5), byrow = TRUE, ncol=4)
ECLRMC(x, beta = 0.2)
```

LRMC Takes an incomplete matrix and returns the imputed matrix using LRMC method.

## Description

Takes an incomplete matrix and returns the imputed matrix using LRMC method.

## Usage

LRMC ( $x$ )

## Arguments

X An m by $n$ matrix with NAs

Value
An $m$ by $n$ matrix with imputed values

## References

Chen, Xiaobo, et al. "Ensemble correlation-based low-rank matrix completion with applications to traffic data imputation." Knowledge-Based Systems 132 (2017): 249-262.

## Examples

```
x = matrix(c(5.1, 4.9, NA, 4.6, 3.5, 3.0, 3.2, 3.1, 1.4, NA, 1.3, 1.5), byrow = TRUE, ncol=4)
LRMC(x)
```

NRMS
Normalized Root Mean Square (NRMS) value of two matrices for evaluating their similarity (lower is better)

## Description

Normalized Root Mean Square (NRMS) value of two matrices for evaluating their similarity (lower is better)

## Usage

NRMS(imputed, original)

## Arguments

| imputed | An m by $n$ matrix |
| :--- | :--- |
| original | An m by $n$ matrix |

## Value

Returns the NRMS value of the given matrices

## Examples

$x=\operatorname{matrix}(c(5.1,4.9, N A, 4.6,3.5,3.0,3.2,3.1,1.4, N A, 1.3,1.5)$, byrow $=T R U E, n c o l=4)$
$a=\operatorname{ECLRMC}(x$, beta $=0.2)$
$b=\operatorname{LRMC}(x)$
$\operatorname{NRMS}(a, b)$

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