# Package 'simtrait' 

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Title Simulate Complex Traits from Genotypes

## Version 1.1.0

## Description

Simulate complex traits given a SNP genotype matrix and model parameters (the desired heritability, number of causal loci, and either the true ancestral allele frequencies used to generate the genotypes or the mean kinship for a real dataset). Emphasis on avoiding common biases due to the use of estimated allele frequencies. The code selects random loci to be causal, constructs coefficients for these loci and random independent non-genetic effects, and can optionally generate random group effects. Traits can follow three models: random coefficients, fixed effect sizes, and infinitesimal (multivariate normal). GWAS method benchmarking func-
tions are also provided. Described in Yao and Ochoa (2022) [doi:10.1101/2022.03.25.485885](doi:10.1101/2022.03.25.485885).
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allele_freqs Compute locus allele frequencies

## Description

On a regular matrix, this is essentially a wrapper for colMeans() or rowMeans() depending on loci_on_cols. On a BEDMatrix object, the locus allele frequencies are computed keeping memory usage low.

## Usage

allele_freqs(X, loci_on_cols = FALSE, fold = FALSE, m_chunk_max = 1000)

## Arguments

$X \quad$ The genotype matrix (regular R matrix or BEDMatrix object). Missing values are ignored in averages.
loci_on_cols If TRUE, $X$ has loci on columns and individuals on rows; if false (the default), loci are on rows and individuals on columns. If $X$ is a BEDMatrix object, code assumes loci on columns (loci_on_cols is ignored).
fold If TRUE, allele frequencies are converted to minor allele frequencies. Default is to return frequencies for the given allele counts in $X$ (regardless of whether it is the minor or major allele).
m_chunk_max BEDMatrix-specific, sets the maximum number of loci to process at the time. If memory usage is excessive, set to a lower value than default (expected only for extremely large numbers of individuals).

## Value

The vector of allele frequencies, one per locus. Names are set to the locus names, if present.

## Examples

```
# Construct toy data
X <- matrix(
        c(0, 1, 2,
            1, 0, 1,
            1, NA, 2),
    nrow = 3,
    byrow = TRUE
)
# row means
allele_freqs(X)
c(1/2, 1/3, 3/4)
# row means, in minor allele frequencies
allele_freqs(X, fold = TRUE)
c(1/2, 1/3, 1/4)
# col means
allele_freqs(X, loci_on_cols = TRUE)
c(1/3, 1/4, 5/6)
```

cov_trait

The model covariance matrix of the trait

## Description

This function returns the expected covariance matrix of a trait vector simulated via sim_trait. Below there are n individuals.

## Usage

cov_trait(kinship, herit, sigma_sq = 1, labs = NULL, labs_sigma_sq = NULL)

## Arguments

kinship The n-by-n kinship matrix of the individuals. These values should be scaled such that an outbred individual has $1 / 2$ self-kinship, the parent-child relationship is $1 / 4$, etc (which is half the values sometimes defined for kinship).
herit The desired heritability (proportion of trait variance due to genetics).
sigma_sq The desired parametric variance factor of the trait (scalar, default 1). Corresponds to the variance of an outbred individual.
labs Optional labels assigning individuals to groups, to simulate group effects. If vector, length must be number of individuals. If matrix, individuals must be along rows, and levels along columns (for multiple levels of group effects). The levels are not required to be nested (as the name may falsely imply). Values can be numeric or strings, simply assigning the same values to individuals in the same group. If this is non-NULL, then labs_sigma_sq must also be given!
labs_sigma_sq Optional vector of group effect variances, one value for each level given in labs (a scalar if labs is a vector, otherwise its length should be the number of columns of labs). Ignored unless labs is also given. As these are variance components, each value must be non-negative and sum(labs_sigma_sq) + herit <= 1 is required!

## Value

The n-by-n trait covariance matrix equal to sigma_sq * (herit * 2 * kinship + ( 1 - herit) * I ), where $I$ is the $n$-by-n identity matrix.

## See Also

sim_trait(), sim_trait_mvn()

## Examples

```
# create a dummy kinship matrix
kinship <- matrix(
        data = c(
            0.6, 0.1, 0.0,
            0.1, 0.6, 0.1,
            0.0, 0.1, 0.6
        ),
        nrow = 3,
        byrow = TRUE
)
# covariance of simulated traits
V <- cov_trait(kinship = kinship, herit = 0.8)
```

herit_loci Per-locus heritability contribution from allele frequency and causal coefficient

## Description

Calculates the vector of per-locus heritability values, with each causal locus i calculated as $\mathrm{h} \mathrm{i}^{\wedge}$ ^2 $=$ 2 * $p_{-} i *\left(1-p_{-} i\right) *$ beta_i^2 / sigma_sq, where p_i is the ancestral allele frequency, beta_i is the causal coefficient, and sigma_sq is the trait variance scale. These are all assumed to be true parameters (not estimated). These per-locus heritabilities equal per-locus effect sizes divided by sigma_sq.

## Usage

herit_loci(p_anc, causal_coeffs, causal_indexes = NULL, sigma_sq = 1)

## Arguments

p_anc The ancestral allele frequency vector.
causal_coeffs The vector of causal coefficients.
causal_indexes The optional vector of causal indexes. If NULL (default), p_anc and causal_coeffs are assumed to be for causal loci only (must be the same length). If non-NULL, causal_loci is used to subset both p_anc and causal_coeffs as needed: if each of these vectors is longer than causal_loci, then it is subset; otherwise they must have equal lengths as causal_loci or an error is thrown.
sigma_sq The parametric variance factor of the trait (default 1). This factor corresponds to the variance of an outbred individual.

## Value

The vector of per-locus heritability contributions. The sum of these values gives the overall heritability. This value can be greater than one (or wrong, more generally) if sigma_sq is misspecified.

## See Also

sim_trait() generates random traits by drawing causal loci and their coefficients to fit a desired heritability. cov_trait () calculates the covariance structure of the random traits.

## Examples

```
# create toy random data
m_loci <- 10
# ancestral allele frequencies
p_anc <- runif( m_loci )
# causal loci
causal_coeffs <- rnorm( m_loci ) / m_loci
# resulting heritability contributions vector
herit_loci( p_anc, causal_coeffs )
```

```
pval_aucpr Area under the precision-recall curve
```


## Description

Calculates the Precision-Recall (PR) Area Under the Curve (AUC) given a vector of p-values and the true classes (causal (alternative) vs non-causal (null)). This is a wrapper around PRROC: :pr.curve(), which actually calculates the AUC (see that for details).

## Usage

pval_aucpr (pvals, causal_indexes, curve = FALSE)

## Arguments

$$
\begin{array}{ll}
\text { pvals } & \begin{array}{l}
\text { The vector of association p-values to analyze. NA values are allowed in input, are } \\
\text { internally set to } 1 \text { (worst score) prior to AUC calculation (to prevent methods to } \\
\text { get good AUCs by setting more cases to NA). Non-NA values outside of [0,1] will } \\
\text { trigger an error. }
\end{array} \\
\text { causal_indexes } & \begin{array}{l}
\text { The vector of causal indexes, defining the true classes used for AUC calculation. } \\
\text { Values of causal_indexes as returned by sim_trait work. There must be at } \\
\text { least one causal index and at least one non-causal case. }
\end{array} \\
\text { curve } & \begin{array}{l}
\text { If FALSE (default), only scalar AUC is returned. If TRUE, then curve = TRUE is } \\
\text { passed to PRROC: :pr.curve() and the full object (class PRROC) is returned (see } \\
\text { below). }
\end{array}
\end{array}
$$

## Value

If curve = FALSE, returns the PR AUC scalar value. If curve = TRUE, returns the PRROC object as returned by PRROC: : pr. curve(), which can be plotted directly, and which contains the AUC under the named value auc.integral.
However, if the input pvals is NULL (taken for case of singular association test, which is rare but may happen), then the returned value is NA.

## See Also

PRROC: :pr.curve(), which is used internally by this function.
pval_power_calib() for calibrated power estimates.

## Examples

```
# simulate truly null p-values, which should be uniform
pvals <- runif(10)
# for toy example, take the first two p-values to be truly causal
causal_indexes <- 1:2
# calculate desired measure
pval_aucpr( pvals, causal_indexes )
```

```
pval_inf1 Calculate inflation factor from p-values
```


## Description

The inflation factor is defined as the median association test statistic divided by the expected median under the null hypothesis, which is typically assumed to have a chi-squared distribution. This function takes a p-value distribution and maps its median back to the chi-squared value (using the quantile function) in order to compute the inflation factor in the chi-squared scale. The full p-value distribution (a mix of null and alternative cases) is used to calculate the desired median value (the true causal_loci is not needed, unlike pval_srmsd()).

## Usage

```
    pval_infl(pvals, df = 1)
```


## Arguments

pvals The vector of association p-values to analyze. This function assumes all p-values are provided (a mix of null and alternative tests). NA values are allowed in input and removed. Non-NA values outside of $[0,1]$ will trigger an error.
df The degrees of freedom of the assumed chi-squared distribution (default 1 ).

## Value

The inflation factor

## See Also

pval_srmsd(), a more robust measure of null p-value accuracy, but which requires knowing the true causal loci.

```
pval_type_1_err() for classical type I error rate estimates.
```


## Examples

```
# simulate truly null p-values, which should be uniform
pvals <- runif(10)
# calculate desired measure
pval_infl( pvals )
```

pval_power_calib Estimate calibrated power

## Description

Given a significance level alpha and p-values with known causal status, this function estimates the calibrated power. First it estimates the p-value threshold at which the desired type I error of alpha is achieved, then it uses this p-value threshold (not alpha) to estimate statistical power. Note that these simple empirical estimates are likely to be inaccurate unless the number of p -values is much larger than 1/alpha.

## Usage

pval_power_calib(pvals, causal_indexes, alpha = 0.05)

## Arguments

pvals The vector of association p-values to analyze. This function assumes all p-values are provided (a mix of null and alternative tests). NA values are allowed in input and removed. Non-NA values outside of [0,1] will trigger an error.
causal_indexes The vector of causal indexes, defining the true classes used for calibrated power estimation. Values of causal_indexes as returned by sim_trait work. There must be at least one causal index and at least one non-causal case.
alpha The desired significance level (default 0.05). May be a vector.

## Value

The calibrated power estimates at each alpha

## See Also

pval_aucpr(), a robust proxy for calibrated power that integrates across significance thresholds.

## Examples

```
# simulate truly null p-values, which should be uniform
pvals <- runif(10)
# for toy example, take the first two p-values to be truly causal
causal_indexes <- 1:2
# estimate desired measure
pval_power_calib( pvals, causal_indexes )
```

pval_srmsd Signed RMSD measure of null p-value uniformity

## Description

Quantifies null p-value uniformity by computing the RMSD (root mean square deviation) between the sorted observed null (truly non-causal) p-values and their expected quantiles under a uniform distribution. Meant as a more robust alternative to the "inflation factor" common in the GWAS literature, which compares median values only and uses all p-values (not just null p-values). Our signed RMSD, to correspond with the inflation factor, includes a sign that depends on the median null p-value: positive if this median is $<=0.5$ (corresponds with test statistic inflation), negative otherwise (test statistic deflation). Zero corresponds to uniform null p-values, which arises in expectation only if test statistics have their assumed null distribution (there is no misspecification, including inflation).

## Usage

pval_srmsd(pvals, causal_indexes, detailed = FALSE)

## Arguments

$$
\begin{array}{ll}
\text { pvals } & \begin{array}{l}
\text { The vector of association p-values to analyze. This function assumes all p-values } \\
\text { are provided (a mix of null and alternative tests). NA values are allowed in input } \\
\text { and removed. Non-NA values outside of [0, 1] will trigger an error. }
\end{array} \\
\text { causal_indexes }
\end{array} \begin{aligned}
& \text { The vector of causal indexes, whose p-values will be omitted. Values of causal_indexes } \\
& \text { as returned by sim_trait work. This parameter is required to prevent use of this } \\
& \text { function except when the true status of every test (null vs alternative) is known. } \\
& \text { Set to NULL if all loci are truly null (non-causal). Otherwise, causal_indexes } \\
& \text { must have at least one causal index. }
\end{aligned}
$$

## Value

If detailed is FALSE, returns the signed RMSD between the observed p-value order statistics and their expectation under true uniformity. If detailed is TRUE, returns data useful for plots, a named list containing:

- srmsd: The signed RMSD between the observed p-value order statistics and their expectation under true uniformity.
- pvals_null: Sorted null p-values (observed order statistics). If any input null p-values were $N A$, these have been removed here (removed by sort ()).
- pvals_unif: Expected order statistics assuming uniform distribution, same length as pvals_null.

If the input pvals is NULL (taken for case of singular association test, which is rare but may happen), then the returned value is NA if detailed was FALSE, or otherwise the list contains NA, NULL and NULL for the above three items.

## See Also

rmsd() for the generic root-mean-square deviation function.
pval_infl() for the more traditional inflation factor, which focuses on the median of the full distribution (combination of causal and null cases).
pval_type_1_err() for classical type I error rate estimates.

## Examples

```
# simulate truly null p-values, which should be uniform
pvals <- runif(10)
# for toy example, take the first p-value to be truly causal (will be ignored below)
causal_indexes <- 1
# calculate desired measure
pval_srmsd( pvals, causal_indexes )
```

```
pval_type_1_err Estimate type I error rate
```


## Description

Given a significance level and p-values with known causal status, this function estimates the type I error rate, defined as the proportion of null p-values that are below or equal to the threshold. Note that these simple empirical estimates are likely to be zero unless the number of p -values is much larger than 1/alpha.

## Usage

pval_type_1_err(pvals, causal_indexes, alpha = 0.05)

## Arguments

pvals The vector of association p-values to analyze. This function assumes all p-values are provided (a mix of null and alternative tests). NA values are allowed in input and removed. Non-NA values outside of $[0,1]$ will trigger an error.
causal_indexes The vector of causal indexes, whose p-values will be omitted. Values of causal_indexes as returned by sim_trait work. This parameter is required to prevent use of this function except when the true status of every test (null vs alternative) is known. Set to NULL if all loci are truly null (non-causal). Otherwise, causal_indexes must have at least one causal index.
alpha The desired significance level (default 0.05). May be a vector.

## Value

The type I error rate estimates at each alpha

## See Also

pval_srmsd() to directly quantify null p-value uniformity, a more robust alternative to type I error rate.
pval_infl() for the more traditional inflation factor, which focuses on the median of the full distribution (combination of causal and null cases).

## Examples

```
# simulate truly null p-values, which should be uniform
pvals <- runif(10)
# for toy example, take the first p-value to be truly causal (will be ignored below)
causal_indexes <- 1
# estimate desired measure
pval_type_1_err( pvals, causal_indexes )
```

rmsd Root mean square deviation

## Description

Calculates the euclidean distance between two vectors $x$ and $y$ divided by the square root of the lengths of the vectors. NA values are ignored by default when calculating the mean squares (so the denominator is the number of non-NA differences).

## Usage

rmsd(x, y, na.rm = TRUE)

## Arguments

$x \quad$ The first vector to compare (required).
$y \quad$ The second vector to compare (required). Lengths of $x$ and $y$ must be equal.
na.rm If TRUE (default), NA values are removed before calculating the mean square difference. If FALSE, any missing values in either $x$ or $y$ result in NA returned. Passed to mean (), see that for more info.

## Value

the square root of the mean square difference between $x$ and $y$, after removing NA comparisons (cases where either is NA).

## Examples

```
x <- rnorm(10)
y <- rnorm(10)
rmsd( x, y )
```

```
simtrait
simtrait: simulate complex traits from genotypes
```


## Description

This package enables simulation of complex (polygenic and continuous) traits from a simulated or real genotype matrix. The focus is on constructing the mean and covariance structure of the data to yield the desired heritability. The main function is sim_trait(), which returns the simulated trait and the vector of causal loci (randomly selected) and their coefficients. The causal coefficients are constructed under two models: random coefficients (RC) and fixed effect sizes (FES). The function cov_trait () computes the expected covariance matrix of the trait given the model parameters (namely the desired heritability and the true kinship matrix). Infinitesimal traits (without causal loci) can also be simulated using sim_trait_mvn().

## Details

Package also provides some functions for evaluating genetic association approaches. pval_srmsd() and pval_infl() quantify null p-value accuracy, while pval_aucpr() quantifies predictive power.
The recommended inputs are simulated genotypes with known ancestral allele frequencies. The bnpsd package simulates genotypes for admixed individuals, resulting in a complex population structure.

For real data it is necessary to estimate the kinship matrix. popkin: :popkin()' provides highaccuracy kinship estimates.

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## See Also

Useful links:

- https://github.com/OchoaLab/simtrait
- Report bugs at https://github.com/OchoaLab/simtrait/issues


## Examples

```
# construct a dummy genotype matrix
X <- matrix(
        data = c(
            0, 1, 2,
            1, 2, 1,
            0, 0, 1
    ),
    nrow = 3,
    byrow = TRUE
)
# made up ancestral allele frequency vector for example
p_anc <- c(0.5, 0.6, 0.2)
# desired heritability
herit <- 0.8
# create a dummy kinship matrix for example
# make sure it is positive definite!
kinship <- matrix(
    data = c(
            0.6, 0.1, 0.0,
            0.1, 0.5, 0.0,
            0.0,0.0,0.5
    ),
    nrow = 3
)
# create simulated trait and associated data
# default is *random coefficients* (RC) model
obj <- sim_trait(X = X, m_causal = 2, herit = herit, p_anc = p_anc)
```

```
# trait vector
obj$trait
# randomly-picked causal locus indeces
obj$causal_indexes
# regression coefficient vector
obj$causal_coeffs
# *fixed effect sizes* (FES) model
obj <- sim_trait(X = X, m_causal = 2, herit = herit, p_anc = p_anc, fes = TRUE)
# either model, can apply to real data by replacing `p_anc` with `kinship`
obj <- sim_trait(X = X, m_causal = 2, herit = herit, kinship = kinship)
# covariance of simulated traits
V <- cov_trait(kinship = kinship, herit = herit)
# draw simulated traits (matrix of replicates) from infinitesimal model
traits <- sim_trait_mvn( rep = 10, kinship = kinship, herit = herit )
traits
# Metrics for genetic association approaches
# simulate truly null p-values, which should be uniform
pvals <- runif(10)
# for toy example, take these p-value to be truly causal
causal_indexes <- c(1, 5, 7)
# calculate desired measures
# this one quantifies p-value uniformity
pval_srmsd( pvals, causal_indexes )
# related, calculates inflation factors
pval_infl( pvals )
# this one quantifies predictive power
pval_aucpr( pvals, causal_indexes )
```


## Description

Simulate a complex trait given a SNP genotype matrix and model parameters, which are minimally: the number of causal loci, the heritability, and either the true ancestral allele frequencies used to generate the genotypes or the mean kinship of all individuals. An optional minimum marginal allele frequency for the causal loci can be set. The output traits have by default a zero mean and unit variance (for outbred individuals), but those parameters can be modified. The code selects random loci to be causal, constructs coefficients for these loci (scaled appropriately) and random Normal independent non-genetic effects. There are two models for constructing causal coefficients: random coefficients (RC; default) and fixed effect sizes (FES; i.e., coefficients roughly inversely proportional to allele frequency; use fes = TRUE). Suppose there are m loci and n individuals.

## Usage

```
sim_trait(
    X,
    m_causal,
    herit,
    p_anc = NULL,
    kinship = NULL,
    mu = 0,
    sigma_sq = 1 ,
    labs = NULL,
    labs_sigma_sq = NULL,
    maf_cut = NA,
    loci_on_cols = FALSE,
    m_chunk_max = 1000,
    fes = FALSE
)
```


## Arguments

X The m-by-n genotype matrix (if loci_on_cols = FALSE, transposed otherwise), or a BEDMatrix object. This is a numeric matrix consisting of reference allele counts (in $c(0,1,2, N A)$ for a diploid organism).

| m_causal | The desired number of causal loci. <br> herit <br> The desired heritability (proportion of trait variance due to genetics). |
| :--- | :--- |
| k_anc | The length-m vector of true ancestral allele frequencies. Optional but recom- <br> mended for simulations. Either this or kinship must be specified. |
| mu | The mean kinship value of the individuals in the data. The n-by-n kinship matrix <br> of the individuals in the data is also accepted. Optional but recommended for <br> real data. Either this or p_anc must be specified. |
| sigma_sq | The desired parametric mean value of the trait (scalar, default 0). <br> The desired parametric variance factor of the trait (scalar, default 1). Corre- <br> sponds to the variance of an outbred individual. |
| Optional labels assigning individuals to groups, to simulate group effects. If |  |
| vector, length must be number of individuals. If matrix, individuals must be |  |
| along rows, and levels along columns (for multiple levels of group effects). The |  |
| levels are not required to be nested (as the name may falsely imply). Values |  |
| can be numeric or strings, simply assigning the same values to individuals in the |  |
| same group. If this is non-NULL, then labs_sigma_sq must also be given! |  |

applied to the sample allele frequencies and not their true parametric values (p_anc), even if these are available.
loci_on_cols If TRUE, $X$ has loci on columns and individuals on rows; if FALSE (the default), loci are on rows and individuals on columns. If $X$ is a BEDMatrix object, loci are always on the columns (loci_on_cols is ignored).
m_chunk_max BEDMatrix-specific, sets the maximum number of loci to process at the time. If memory usage is excessive, set to a lower value than default (expected only for extremely large numbers of individuals).
fes If TRUE, causal coefficients are inversely proportional to the square root of $p \_a n c$ * ( 1 - p_anc ) (estimated when $p_{-}$anc is unavailable), which ensures fixed effect sizes (FES) per causal locus. Signs (+/-) are drawn randomly with equal probability. If FALSE (the default), random coefficients (RC) are drawn from a standard Normal distribution. In both cases coefficients are rescaled to result in the desired heritability.

## Details

To center and scale the trait and locus coefficients vector correctly to the desired parameters (mean, variance, heritability), the parametric ancestral allele frequencies (p_anc) must be known. This is necessary since in the heritability model the genotypes are random variables (with means given by p_anc and a covariance structure given by $p_{-}$anc and the kinship matrix), so these genotype distribution parameters are required. If $p_{-}$anc are known (true for simulated genotypes), then the trait will have the specified mean and covariance matrix in agreement with cov_trait(). To simulate traits using real genotypes, where $p_{-}$anc is unknown, a compromise that works well in practice is possible if the mean kinship is known (see package vignette). We recommend estimating the mean kinship using the popkin package!

## Value

A named list containing:

- trait: length-n vector of the simulated trait
- causal_indexes: length-m_causal vector of causal locus indexes
- causal_coeffs: length-m_causal vector of coefficients at the causal loci
- group_effects: length-n vector of simulated group effects, or 0 (scalar) if not simulated

However, if herit = 0 then causal_indexes and causal_coeffs will have zero length regardless of m_causal.

## See Also

cov_trait(), sim_trait_mvn()

## Examples

```
# construct a dummy genotype matrix
X <- matrix(
    data = c(
            0, 1, 2,
```

```
        1, 2, 1,
        0, 0, 1
        ),
    nrow = 3,
        byrow = TRUE
)
# made up ancestral allele frequency vector for example
p_anc <- c(0.5, 0.6, 0.2)
# made up mean kinship
kinship <- 0.2
# desired heritability
herit <- 0.8
# create simulated trait and associated data
# default is *random coefficients* (RC) model
obj <- sim_trait(X = X, m_causal = 2, herit = herit, p_anc = p_anc)
# trait vector
obj$trait
# randomly-picked causal locus indexes
obj$causal_indexes
# regression coefficients vector
obj$causal_coeffs
# *fixed effect sizes* (FES) model
obj <- sim_trait(X = X, m_causal = 2, herit = herit, p_anc = p_anc, fes = TRUE)
# either model, can apply to real data by replacing `p_anc` with `kinship`
obj <- sim_trait(X = X, m_causal = 2, herit = herit, kinship = kinship)
```

sim_trait_mvn

## Description

Simulate matrix of trait replicates given a kinship matrix and model parameters (the desired heritability, total variance scale, and mean). Although these traits have the covariance structure of genetic traits, and have heritabilities that can be estimated, they do not have causal loci (an association test against any locus should fail). Below n is the number of individuals.

## Usage

```
sim_trait_mvn(
    rep,
    kinship,
    herit,
    mu = 0,
    sigma_sq = 1,
```

```
    labs = NULL,
    labs_sigma_sq = NULL,
    tol = 1e-06
```

)

## Arguments

rep The number of replicate traits to simulate. Simulating all you need at once is more efficient than simulating each separately (the kinship matrix is eigendecomposed once per run, shared across replicates).
kinship The n-by-n kinship matrix of the individuals to simulate from.
herit The desired heritability (proportion of trait variance due to genetics).
mu $\quad$ The desired parametric mean value of the trait (scalar, default 0 ).
sigma_sq The desired parametric variance factor of the trait (scalar, default 1). Corresponds to the variance of an outbred individual.
labs Optional labels assigning individuals to groups, to simulate group effects. If vector, length must be number of individuals. If matrix, individuals must be along rows, and levels along columns (for multiple levels of group effects). The levels are not required to be nested (as the name may falsely imply). Values can be numeric or strings, simply assigning the same values to individuals in the same group. If this is non-NULL, then labs_sigma_sq must also be given!
labs_sigma_sq Optional vector of group effect variances, one value for each level given in labs (a scalar if labs is a vector, otherwise its length should be the number of columns of labs). Ignored unless labs is also given. As these are variance components, each value must be non-negative and sum(labs_sigma_sq) + herit <= 1 is required!
tol Tolerance factor for an internal test of positive semi-definiteness of the trait covariance matrix. Procedure fails if any eigenvalues are smaller than -tol times the absolute value of the largest eigenvalue. Increase this value only if you are getting errors but you're sure your covariance matrix (the output of cov_trait()) is positive semi-definite.

## Value

A rep-by-n matrix containing the simulated traits along the rows, individuals along the columns.

## See Also

cov_trait(), sim_trait()

## Examples

```
# create a dummy kinship matrix
# make sure it is positive definite!
kinship <- matrix(
        data = c(
            0.6, 0.1, 0.0,
            0.1, 0.5, 0.0,
```

```
            0.0, 0.0, 0.5
        ),
    nrow = 3
)
# draw simulated traits (matrix)
traits <- sim_trait_mvn( rep = 10, kinship = kinship, herit = 0.8 )
traits
```


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